

```

8- format long g
9- v = 0.5
10- for i = 1:100
11-     iter(i+1) = i;
12-     v(i+1) = sqrt(( [500 + (log(v(i)))^3]^2 * (34.3 + (0.02 * v(i))) ) / i );
13-     ea(i+1) = abs((v(i+1) - v(i)) / v(i+1)) * 100;
14-     if ea(i+1) <= 1E-11
15-         break;
16-     end
17- end
18- [iter 'v' ea]
19- plot(v, iter);
20- axis tight;
21- grid on;
22- grid minor;

```

Ans: 304.067882285085

$$F_{\text{net}} = 0$$

$$0.3v^2 - 0.02v$$

$$500 + (\ln v)^2$$

At terminal velocity:

$$F_{\text{net}} = 0$$

$$0.3v^2 - 0.02v$$

$$500 + (\ln v)^2$$

$$0.3v^2 = 0.02v + 0.02v$$

$$500 + (\ln v)^2$$

$$0.3v^2 = (500 + (\ln v)^2)(0.02v + 0.02v)$$

$$v^2 = \frac{(500 + (\ln v)^2)(0.02v + 0.02v)}{0.3}$$

$$v = \sqrt{\frac{(500 + (\ln v)^2)(0.02v + 0.02v)}{0.3}}$$

where $m \rightarrow 3.5 \text{ kg}$

$g \rightarrow 9.8 \text{ m/s}^2$

$$v = \sqrt{\frac{(500 + (\ln v)^2)(3.5 + 9.8 + 0.2v)}{0.3}}$$

$$v = \sqrt{\frac{(500 + (\ln v)^2)(34.3 + 0.2v)}{0.3}}$$

Given $v = 0.5$

MATLAB CODE:

- Command Window

- clear

- clc

- close all