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ENR 382

Class for Assignment 6.

$$y = mx + c$$

$$\log c = \log a + \log b$$

$$\text{Where } a = \log x$$

$$a_1 = \log b$$

$y = \log c$	$t = x$	$d(x)$	xy	x^2	y^2
0.301029996	0	0	0	0	0.09061905
0.098970004	1	1	0.098970004	1	0.48559067
1.2578753601	2	2	2.557567262	4	16.35210742
1.698970004	3	3	5.096910013	9	2.886471096
2.178976947	4	4	8.715907789	16	4.74779057
2.672097858	5	5	13.36048929	25	7.14010692
3.1568519091	6	6	16.9441141	36	9.965713525
3.654389021	7	7	28.58058864	49	13.3541343
4.11800001	8	8	32.8440006	64	16.9068977
4.614165911	9	9	41.5267532	81	12.28997336
5.07505135	10	10	50.75703155	100	25.45611277

$$\Sigma x = 29.41133046$$

$$\Sigma x = 55$$

$$\Sigma xy = 199.8268839$$

$$\Sigma x^2 = 385$$

$$\Sigma y^2 = 105.9620485$$

$$E_y = a_0 N + a_1 E_x$$

$$= 29.41133046 + a_1 (55) \quad \text{--- (1)}$$

$$E_{xy} = a_0 \Sigma x + a_1 \Sigma x^2$$

$$199.8268839 = a_0 (55) + a_1 (385) \quad \text{--- (2)}$$

Solving equations (1) and (2)

$$29.41133046 = 11a_0 + 55a_1$$

$$119.8268835 = 55a_0 + 385a_1$$

$$a_0 = \frac{\begin{vmatrix} 29.41133046 & 55 \\ 119.8268835 & 385 \end{vmatrix}}{\begin{vmatrix} 11 & 55 \\ 55 & 385 \end{vmatrix}}$$

$$a_0 = \frac{29.41133046(385) - (55)(119.8268835)}{(11 \times 385) - (55 \times 55)}$$

$$a_0 = 0.2754$$

$$a_1 = \frac{\begin{vmatrix} 11 & 29.41133046 \\ 55 & 119.8268835 \end{vmatrix}}{\begin{vmatrix} 11 & 55 \\ 55 & 385 \end{vmatrix}}$$

$$a_1 = \frac{11 \times 119.8268835 - (29.41133046 \times 55)}{(11 \times 385) - (55 \times 55)}$$

$$a_1 = 0.47573$$

$$a_0 = 1059$$

$$0.2754 = 1059$$

$$a = 1.8891$$

$$a_1 = \log R$$

$$0.47573 = \log R$$

$$R = 3.0181$$

Q.

Correlation Coefficient

$$R = \frac{N \sum xy - (\sum x)(\sum y)}{\sqrt{N \sum x^2 - (\sum x)^2} \sqrt{N \sum y^2 - (\sum y)^2}}$$

$$= \frac{N \sum xy - (\sum x)(\sum y)}{\sqrt{N \sum x^2 - (\sum x)^2} \sqrt{N \sum y^2 - (\sum y)^2}}$$

$$R = \frac{(11 \times 119.8268835) - (55)(29.41133046)}{\sqrt{11 \times 385 - 55^2} \times ((11 \times 1037620483) - (29.41133046)^2)}$$

$$R = 0.998778312$$

$$R_{\text{square}} = (0.998778312)^2 \\ = 0.99756896846$$

From observation for all the methods used to solve the correlation coefficient and its square; It can be seen that $R^2 < R$ i.e. the value of the source of the correlation coefficient is less than the actual value of the correlation coefficient.