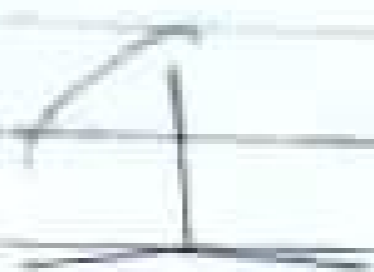


MUSKATA INHA FAHRA

Almusaib

MCSS

Am102.



$$4.4 \times 10^{-10} = (q_1 + 5.0 \times 10^{-5}) q_1$$

$$4.4 \times 10^{-10} = q_1^2 + 5.0 \times 10^{-5} q_1$$

$$q_1^2 + 5.0 \times 10^{-5} q_1 - 4.4 \times 10^{-10} = 0$$

$$5.0 \times 10^{-5} = \dots$$

$$q_2 = 1.14 \times 10^{-5}$$

$$\text{Recall that } q_1 + q_2 = 5.0 \times 10^{-5}$$

$$q_1 = 5.0 \times 10^{-5} - 1.14 \times 10^{-5}$$

$$q_1 = 3.86 \times 10^{-5}$$

Charging By Induction: When a negatively charged rubber rod is brought near a neutral conducting sphere as shown below. All the positive charges go close to the rubber rod while the negative charges are at the extreme end of the rubber rod. The neutral charged sphere is then connected to an insulating wire while the rod is still placed close to it. The neutral sphere connected to an earth wire, all the negative charges pass through the earth wire and go to the ground. The rubber rod is then removed, and the sphere remains positively charged.

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$$i) Q_1 = Q_2 = 8 \mu C$$

$$d = 0.5 m$$

$$\tan \theta = \frac{opp}{adj}$$

$$\theta = \tan^{-1} 10.5$$

$$\theta = 65.4^\circ$$

$$E_1 = k \frac{q_1}{r^2} = \frac{(9 \times 10^9) \times 8 \times 10^{-6}}{(1.22)^2}$$

$$E_1 = 5732.77 C$$

$$E_2 = k \frac{q_2}{r^2} = \frac{(9 \times 10^9) \times (8 \times 10^{-6})}{(1.22)^2}$$

$$E_2 = 5739.29 C$$

$$E_y = k \frac{q}{r^2} = \frac{(9 \times 10^9) \times q}{(1)^2} = 9 \times 10^9 q$$

Vector	Angle	x-Component	y-Component
5750+		-266+3	53205
5732.77	63.4	25700.74	5052.25
5750+		266+3	53205
5739.29	63.4	25700.77	5052.26
9 \times 10^9 q	90	0	9 \times 10^9 q
		0	E_y =

$$E_y = 106410 + 10502 = 2165$$

Magnitude:

$$E_y = \sqrt{0^2 + (106410 + 10502)^2} = 106410 + 10502$$

$$\text{Since } E = 0; 0 = 9 \times 10^9 q + 106410 + 10502$$

$$q = \frac{-52568}{9 \times 10^9} = -5.84 \mu C$$

$$q = -12 \mu C$$

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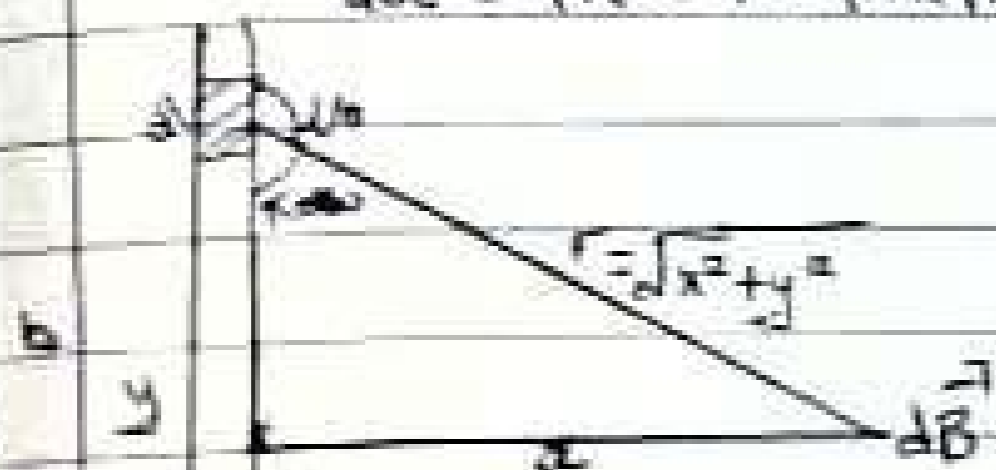
perspective

The Biot-Savart Law is an equation that describes the magnetic field generated by a constant electric current.

$$dB = \frac{\mu_0}{4\pi} \frac{Id\vec{l} \times \vec{r}}{r^3}$$

where  $\mu_0$  is a constant called permeability of free space

$$\mu_0 = 4\pi \times 10^{-7} \text{ T}\cdot\text{m/A}$$



A section of a straight current carrying conductor. Applying the Biot-Savart law, we find the magnitude of the field  $dB$

$$B = \frac{\mu_0 I}{4\pi} \int \frac{d\sin\theta}{r^2}$$

$$\sin(\pi - \theta) = \sin\theta$$

$$B = \frac{\mu_0 I}{4\pi} \int_{-a}^a \frac{d\sin(\pi - \theta)}{r^2}$$

From Diagram:  $r^2 = x^2 + y^2$  (constant)

$$B = \frac{\mu_0 I}{4\pi} \int_{-a}^a \frac{d\sin(\pi - \theta)}{x^2 + y^2} \quad \text{--- (1)}$$

$$\sin(\pi - \theta) = \frac{y}{\sqrt{x^2 + y^2}} = \frac{y}{(x^2 + y^2)^{1/2}}$$

Substituting equation (2) into (1), we get

$$B = \frac{\mu_0 I}{4\pi} \int_{-a}^a \frac{dl \cdot x}{(x^2 + y^2)(x^2 + y^2)^{1/2}}$$

$$B = \frac{\mu_0 I}{4\pi} \int_{-a}^a \frac{dl \cdot x}{(x^2 + y^2)^{3/2}}$$

Recall that  $dl = dy$

$$B = \frac{\mu_0 I x}{4\pi} \int_{-a}^a \frac{1}{(x^2 + y^2)^{3/2}} dy$$

Using Special Integrals

$$\int \frac{dy}{(x^2 + y^2)^{3/2}} = \frac{1}{x^2} \frac{y}{(x^2 + y^2)^{1/2}}$$

Equation (2)  $\Rightarrow$

$$B = \frac{\mu_0 I x}{4\pi} \left[ \frac{y}{x^2 (x^2 + y^2)^{1/2}} \right]_{-a}^a$$

$$B = \frac{\mu_0 I x}{4\pi} \left[ \frac{2a}{x^2 (x^2 + a^2)^{1/2}} \right]$$

$$B = \frac{\mu_0 I}{4\pi x} \left[ \frac{2a}{(x^2 + a^2)^{1/2}} \right]$$

When the length of  $a$  of the conductor is very great in comparison to the distance  $x$  from point  $P$ , we consider  $a$  infinitely long. That is when  $a$  is much larger than  $x$ .

$$(x^2 + a^2)^{1/2} \approx a, \text{ as } a \rightarrow \infty$$

$$\therefore B = \frac{\mu_0 I}{2\pi x}$$

At all points in a circular magnetic field around the conductor, the magnitude of

$$B \Rightarrow \frac{\mu_0 I}{2\pi r}$$

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An electric field is the region of space in which an electric charge will experience an electric force while  
 An Electric Field Strength or Electric Field intensity :- is the force per unit charge, mathematically, it is  $E = F(q)/q$   
 the unit is Newton per coulomb: (N/C)

(A) the magnetic flux is defined as the strength of a magnetic field represented by lines of force its usually represent by the symbol  $\Phi$

ii)  $Q_1 = 3\mu C, Q_2 = 12\mu C, x = 4m, k = 9 \times 10^9$



$E_1 = E_2 = \frac{kQ_1}{r^2} = \frac{(9 \times 10^9) \times (3 \times 10^{-6})}{4^2} = 1.469 \text{ N/C}$

$E_2 = E_3 = \frac{kQ_2}{r^2} = \frac{(9 \times 10^9) \times (12 \times 10^{-6})}{5^2} = 12 \text{ N/C}$

$E_{net} = 1.469 + 12 = 13.469 = 13.5 \text{ N/C}$

$E_{net} = \vec{E}_1 + \vec{E}_2$

$E_1 = \frac{kQ_1}{r^2} = \frac{9 \times 10^9 \times 3 \times 10^{-6}}{4^2} = 8 \text{ N/C}$

$E_2 = \frac{kQ_2}{r^2} = \frac{9 \times 10^9 \times 12 \times 10^{-6}}{5^2} = 4.32 \text{ N/C}$

Vector	Angle	x. comp	y. comp
$E_1 = 8 \text{ N/C}$	$90^\circ$	$8 \cos 90 = 0$	$8 \sin 90 = 8.00$
$E_2 = 4.32$	$36.9$	$4.32 \times \cos 36.9 = 3.45$	$4.32 \times \sin 36.9 = 2.57$
		$\Sigma f_x = 3.45$	$\Sigma f_y = 10.57$

$E_{net} = \sqrt{(3.45)^2 + (10.57)^2}$   
 $= \sqrt{11.90 + 111.72} = \sqrt{123.62} = 11.14 \text{ N/C}$

$F_{net} = 11.14 \text{ N/C}$

$m_e = 9.11 \times 10^{-31} \text{ kg}$   
 $r = 1.4 \times 10^{-10} \text{ m}$   
 $\theta = 90^\circ$

magnetic field  $(\omega) = 3.5 \times 10^{-1} \text{ Tesla}$   
 meter square

$Q = 1.6 \times 10^{-19} \text{ C}$

$W = \frac{1}{2} B r$

$V = \frac{(1.6 \times 10^{-19}) \times (3.5 \times 10^{-1}) \times (1.4 \times 10^{-10})}{9.11 \times 10^{-31}}$

$V = -6.15 \times 10^{10} \text{ rad/sec}$

Angular speed = Cyclotron frequency

$\omega = \frac{qB}{m_e r}$

$= \frac{-1.6 \times 10^{-19} \times 3.5 \times 10^{-1}}{9.11 \times 10^{-31}}$

$= -6.15 \times 10^{10} \text{ rad/s}$

The charge particle circulates at the angular frequency or angular speed at  $-6.15 \times 10^{10} \text{ rads}$  in the type of accelerator called cyclotron, therefore the angular speed is ~~negative~~ <sup>negative</sup> or opposite ~~direction~~ <sup>direction</sup> to that of the charge particle electrons.