

Have You Made Full Use of the OCR Feature?

Make a scan, enhance it and save it. Are these all the features you know about CamScanner? If so, you have missed too many cool experiences. CamScanner offers you lots of features rather than scanning. What we are sharing today is the OCR (Optical Character Recognition) feature.



What can you do with OCR feature?

1. Searching

What can you do if you want to search for a document but just can't remember the names of some docs? Use this feature to recognize all the texts on your scans. Next time you just need to enter some key words in the search box and all the documents within the words will be found.

2. Text extraction

Just purchase the one-time paid version and you can enjoy the text extraction for lifetime! Ever want to edit some texts on a paper document or a PDF file? Import it into CamScanner and all texts can be extracted as .txt file after OCR!

Why wait? Follow the steps to start using OCR!

1. Sign in to CamScanner to sync all your docs → All texts will be auto recognized after syncing.
2. If you don't want to sign in, you can open one single page of any doc → Tap the Recognize button → All recognized texts will be shown in a dialog box → Tap Share to export the texts.

Name: ONALAJA HALEEMAH MODUPEOLUWA
 College: MEDICINE & HEALTH SCIENCE
 Department: Medicine & Surgery

Matric no: 191MHS01346

Section A

(i) Electric field

It is a region of space in which an electric charge will experience an electric force

Electric field intensity

It is the force per unit charge

b

$$q_1 = 8 \mu\text{C}$$

$$q_2 = 10 \mu\text{C}$$

$$E_1 = \frac{kQ_1}{r^2} = \frac{9 \times 10^9 \times 8 \times 10^{-9}}{7^2} = 1.5 \text{ N/C}$$

$$E_2 = \frac{kQ_2}{r^2} = \frac{9 \times 10^9 \times 12 \times 10^{-9}}{7^2} = 12 \text{ N/C}$$

$$E_{\text{net}} = \vec{E}_1 + \vec{E}_2 = (1.5 + 12) \text{ N/C} = 13.5 \text{ N/C}$$

$$E_1 = \frac{kQ_1}{r^2} = \frac{9 \times 10^9 \times 8 \times 10^{-9}}{3^2} = 8 \text{ N/C}$$

$$E_2 = \frac{kQ_2}{r^2} = \frac{9 \times 10^9 \times 12 \times 10^{-9}}{5^2} = 4.32 \text{ N/C}$$

Vector
 $E_1 = 8 \text{ N/C}$

Angle
 90°

x comp
 0

y comp
 8

$E_2 = 4.32 \text{ N/C}$

Angle
 36.87°

x comp
 -3.45
 -3.45

y comp
 2.59
 10.59

$$E_{\text{net}} = \sqrt{E_x^2 + E_y^2}$$

$$E_{\text{net}} = 11.12 \text{ N/C}$$

19/01/2018/46

3 (a) i) Volume charge density, $\rho = \frac{dQ}{dv} = dQ = \rho dv$

(ii) Surface charge density $\sigma = \frac{dQ}{dA} = dQ = \sigma dA$

(iii) Linear charge density $\lambda = \frac{dQ}{dL} = dQ = \lambda dL$

Where $Q = \text{charge}$ $V = \text{Volume}$ $L = \text{Length}$ $A = \text{area}$

b) Electric potential difference.

i) due to a single point charge

$$V_B - V_A = \frac{Q}{4\pi\epsilon_0} \left[\frac{1}{r_B} - \frac{1}{r_A} \right]$$

where $q = \text{point charge}$
 $r_B = \text{point charge}$
 $r = \text{distance of } Q$

3c) Point charge $Q_1 = 10 \mu\text{C}$ $Q_2 = 2 \mu\text{C}$

$$V_p = \frac{1}{4\pi\epsilon_0} \left[\frac{Q_1}{r_1} + \frac{Q_2}{r_2} \right] \quad \text{recall } \frac{1}{4\pi\epsilon_0} = 9 \times 10^9$$

$$V_p = 9 \times 10^9 \left[\frac{(10 \times 10^{-6})}{4+x} + \frac{(-2 \times 10^{-6})}{x} \right]$$

$$0 = 9 \times 10^9 \left[\frac{(10 \times 10^{-6})}{4+x} + \frac{(-2 \times 10^{-6})}{x} \right]$$

$$10 \times 10^{-6} x = (4+x) (2 \times 10^{-6})$$

$$10 \times 10^{-6} = 8 \times 10^{-6} + 2 \times 10^{-6} x$$

$$8 \times 10^{-6} = 2 \times 10^{-6} x$$

$$x = 1$$

\therefore The position along the x-axis is 1m where $V=0$.

$$V = k \left[\frac{Q_1}{r_1} + \frac{Q_2}{r_2} \right]$$

$$0 = \left[\frac{(10 \times 10^{-6})}{4} + \frac{(-2 \times 10^{-6})}{x} \right]$$

$$8 \times 10^{-6} = \frac{12 \times 10^{-6} x}{x}$$

$$x = \frac{8 \times 10^{-6}}{12 \times 10^{-6}}$$

$$x = 0.67 \text{m}$$

Section B

19. Magnetic flux is defined as the strength of the magnetic field which can be represented by line of force.

It is denoted by ϕ

b.
$$F_B = qvB = \frac{mev^2}{r}$$

$$mev = qBr$$

$$v = \frac{qBr}{me} = (1.6 \times 10^{-19}) (3.5 \times 10^{-1}) (1.4 \times 10^{-7})$$

$$= (9.11 \times 10^{-31})$$

$$v = 8.61 \times 10^{-3} \text{ m/s}$$

$$w = \frac{v}{r} = \frac{qB}{me} = (1.6 \times 10^{-19}) (3.5 \times 10^{-1})$$

$$(9.11 \times 10^{-31})$$

$$= 6.14 \times 10^{10} \text{ e}^{-1}$$

5a. Biot-Savart law states that the magnetic field is directly proportional to the product permeability of free space (μ_0), the current (I), the distance in length, the radius and inversely proportional to the square of radius.

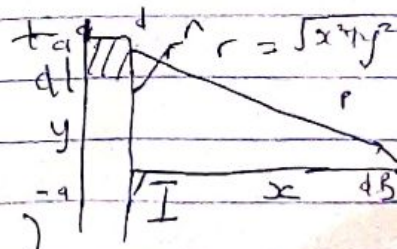
b.
$$B = \frac{\mu_0 I}{4\pi} \int_{-a}^a dl \frac{\sin \phi}{r^2}$$

$$\sin(\pi - \phi) = \sin \theta$$

$$B = \frac{\mu_0 I}{4\pi} \int_{-a}^a dl \frac{\sin(\pi - \phi)}{r^2}$$

$$r^2 = x^2 + y^2 \text{ (from diagram)}$$

$$B = \frac{\mu_0 I}{4\pi} \int_{-a}^a dl \frac{\sin(\pi - \phi)}{x^2 + y^2} \dots 0$$



19(MHS011346)

$$\sin(\pi - \phi) = \frac{x}{\sqrt{x^2 + y^2}} = \frac{x}{(x^2 + y^2)^{1/2}}$$

Substituting eq (11) into equation (1)

$$B = \frac{\mu_0 I}{4\pi} \int_{-a}^a dl \frac{x}{(x^2 + y^2)^{3/2}}$$

$$B = \frac{\mu_0 I}{4\pi} \int_{-a}^a dl \frac{x}{(x^2 + y^2)^{3/2}}$$

Using special integrals.

$$\int \frac{dy}{(x^2 + y^2)^{3/2}} = \frac{1}{x^2} \left(\frac{y}{(x^2 + y^2)^{1/2}} \right)$$

$$B = \frac{\mu_0 I}{4\pi x} \left(\frac{2a}{x^2 + a^2} \right)^{1/2}$$

$$(x^2 + a^2)^{1/2} = a \text{ as } \rightarrow \infty$$

$$\therefore B = \frac{\mu_0 I}{2\pi x}$$