

$$f(t) := 50 \cdot \exp(0.122 \cdot t)$$

$$g(t) := 150 \cdot \exp(0.122 \cdot t)$$

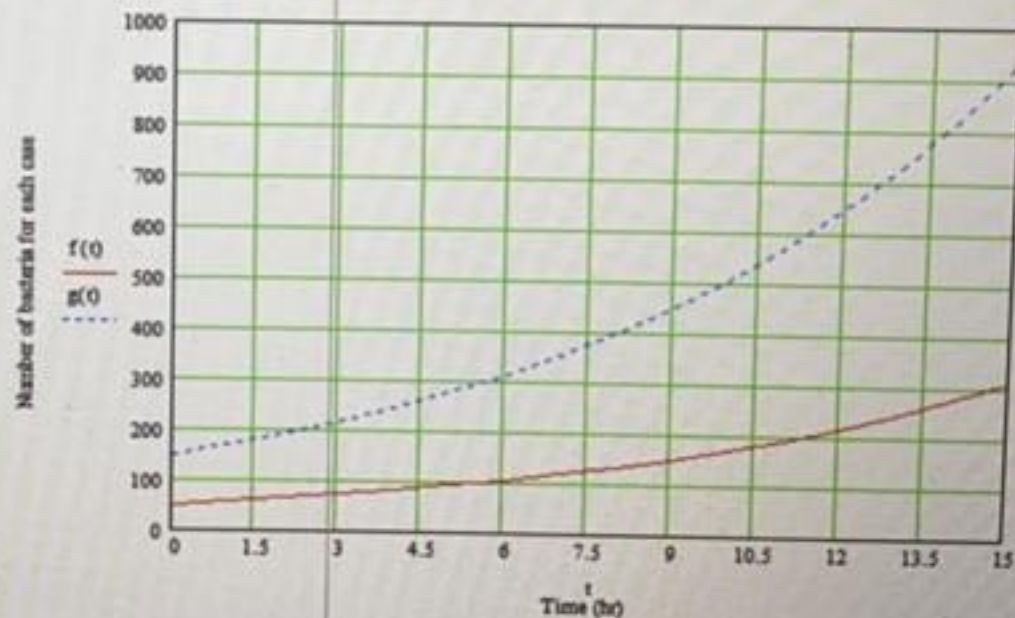
$$t := 0, 1, \dots, 15$$

f(t) =

50
56.488
63.817
72.098
81.453
92.022
103.962
117.451
132.691
149.908
169.359
191.334
216.161
244.209
275.896
311.694

g(t) =

150
169.463
191.452
216.293
244.358
276.065
311.885
352.354
398.073
449.725
508.078
574.003
648.483
732.626
827.687
935.083



where : g(t) = Number of bacteria for case B
f(t) = Number of bacteria for Case A

Math

Matrix

Matrix symbols: $\begin{bmatrix} \cdot \\ \cdot \\ \cdot \end{bmatrix}$, \times_n , \times^t , $|\cdot|$, \vec{a} , \vec{b} , \vec{c} , \vec{d} , \vec{e} , \vec{f} , \vec{g} , \vec{h} , \vec{i} , \vec{j} , \vec{k} , \vec{l} , \vec{m} , \vec{n} , \vec{o} , \vec{p} , \vec{q} , \vec{r} , \vec{s} , \vec{t} , \vec{u} , \vec{v} , \vec{w} , \vec{x} , \vec{y} , \vec{z}

Evaluate

Evaluate symbols: $=$, $:=$, \equiv , \rightarrow , \leftrightarrow , f_x , x^f , $x^f y$

Case 2 $y = 450 e^{kt}$

$$y = 3y_0 e^{kt}$$

$$\frac{y}{y_0} = 3 e^{kt}$$

$$\frac{y}{y_0} = e^{kt}$$

$$y = 3y_0$$

$$\frac{y}{y_0} = 3$$

Case 1 $\rightarrow e^{kt} = 3$

at $t = 9$

$$e^{9k} = 3$$

$$9k = \ln 3$$

$$k = 0.122$$

$$y = 150 \quad y = 50 e^{0.122t}$$

Case 2 \Rightarrow ~~$e^{kt} = 3$~~ ~~at $t = 9$~~ $y = 150 e^{0.122t}$