

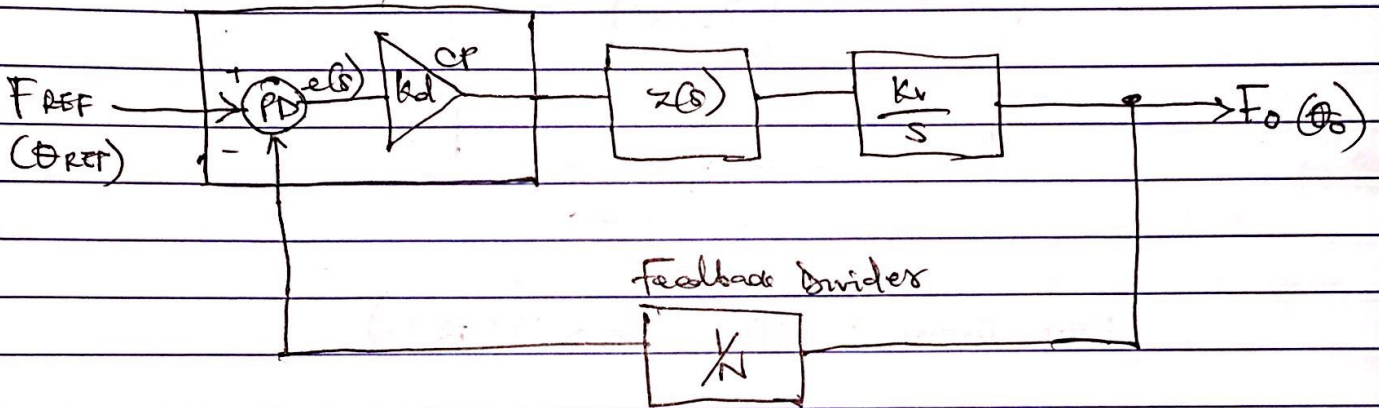
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COURSE: FEE 524 (ASSIGNMENT)

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⇒ PHASE LOCKED LOOPS (PLLs) (TOPIC 1)

PLLs are feedback systems which combine a voltage controlled oscillator (VCO) and a phase comparator so connected that the oscillator maintains a constant phase angle relative to a reference signal



A Basic Phase Locked Loop (PLL) Model

The PLL output can be taken from either V_{cont} the filtered VCO control voltage, or from the output of the VCO depending on the application. The former provides a baseband output that tracks the phase variation at the input.

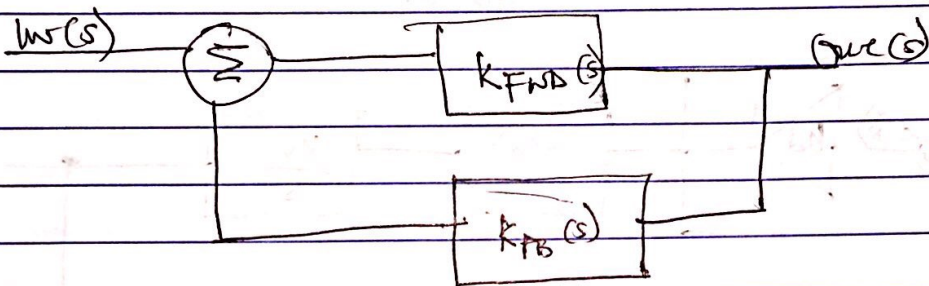
Some applications include:

1. Clock Generation.
2. Frequency Synthesizer.
3. Clock recovery on a serial data link.

VCO is treated as a linear, time-invariant system. The VCO oscillates at an angular frequency which is assumed to be linearly proportional to the control voltage with a gain coefficient K_0 or K_{VCO} (rad/s/V).

$$\omega_{cont} = \omega_0 + K_0 V_{cont}$$

⇒ PLL is a feedback system.

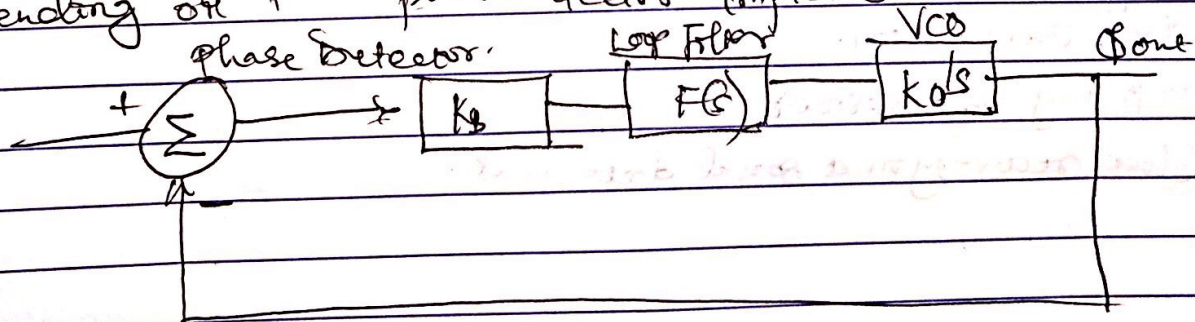


Loop Gain : $T(s) = K_{FWD}(s) K_{FB}(s)$

Transfer Function : $\frac{O(s)}{W(s)} = H(s) = \frac{K_{FWD}(s)}{1 + T(s)}$

⇒ Frequency and phase Tracking Loop.

PLL with feedback $z = 1$; therefore, input and output frequencies are identical. The input and output phase should track one another but there may be a fixed offset depending on the phase detector implementation.



Transfer function: $H(s) = \text{forward path gain} / [1 + T(s)]$.
With feedback = 1,

$$H(s) = T(s) / [1 + T(s)]$$

$$H(s) = \frac{\phi_{out}}{\phi_{in}} = \frac{K_o F(s) / s}{1 + K_o F(s) / s}$$

Phase error function

$$\epsilon = \phi_{in} - \phi_{out} = \frac{s \phi_{in}}{s + K_o F(s)}$$

For the frequency synthesis application, we want to have ideally perfect phase tracking for phase and frequency steps. When the synthesizer frequency is changed, it is a discontinuous step in modeling, and we want to have zero steady state phase error in this case.

The transfer function is: $G(s) = \frac{K_o K_b}{s} \cdot \frac{K_v}{s(1+s/\omega_c)}$

= ANALOG MULTIPLIER (TOPIC 2)

Analog Multipliers are circuits that take two analog inputs, and produce an output proportional to their product.