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Course: Engineering Mechanics ii (ENG234)

Question (1)

 $V = (4t - 3t^2)$

Find the position

ds= vdt

$$\int_{0}^{s} ds = \int_{0}^{t} (4t - 3t^{2}) dt$$
$$ds = \int_{0}^{4} (4t - 3t^{2}) dt$$
$$s = (4 \setminus 5t^{2} - 3/3t^{3})$$
$$= 2(4)^{2} - 4^{3} - (0) - (0)$$
$$= -32$$
$$= 32 \leftarrow$$

Question (2)

$V = (0.5t^2 - 8t)$ Find = ? t = 2sec

To get the acceleration derivate Velocity

$$A = \frac{{}^{d}0.5t^{3} - 8t}{{}^{d}t}$$
$$= (1.5t^{2} - 8)$$
$$A = 1.5(2^{2}) - 8$$
$$= 2m/s^{2}$$

Question (3) (1) A= $(4t^2 - 2)$ $V=\int (4t^2-2)dt$ $\frac{V=\frac{4}{3}t^{3}-2t+c1}{2}$ (2) $S = \int \frac{4}{3}t^3 - 2t + c1)dt$ $S = \frac{1}{3}t^4 - \frac{2}{2}t^2 + c1 + c2$ The position from the Velocity •

function integration of v with respect to time (t).

At t=0, s = -2 and c2 = -2
At t=2, s= -20 and c1 = -9.70
At t=4
Then: S(4) =
$$\frac{1}{3}(4)^4 - 4^2 + (-2)(4) + (-9.7)$$

= 28.7m

Question (4)

• Since the velocity express the position of the function. Time can be express as dt= $\frac{dv}{v}$

It can also as dt = $\frac{dv}{a}$

- Equating eqn(1) and (2) $\frac{ds}{v} = \frac{dv}{q}$
- We can express acceleration as • $A = \frac{Vdv}{ds}$ Velocity = $(20 - 0.05^2)dv$ can be written as D. - 2 005 m d

$$Dv = -2.005 mds$$

Replace v by 20- 0.05^2 and dv by -0.1ds in

$$A = \frac{(20 - 0.05s^2) * (0.1s) ds}{ds}$$

$A = 2s + 0.005s^3$

In order to determine the acceleration at s =15 we need to replace the valve of the expression $a=2s+0.005s^3$

$$A_{(s=15)} = 2.15 + 0.0005 \times 15^3$$

<u>= -13.125*m/s*²</u>

Since motion is positive to the right acceleration vector is direction to the left.

$$a_{(s=15)} = 13.125m/s^2 \leftarrow$$