BADMUS TOLUWANI AMINAT 19/114801/16 MBBS 11-30c da $()(x^2+2x-3)$ 11-3x = A + B (x-1) (x+3) (x-1) (x+3) 11-3x = A(x+3) + B(x-1) (x-1)(x+3) (x-1)(x+3)11-3x = Ax +3A + Bx-B 11-3x = (3A-B) + (A+B)x A+B = -3×3 ... 0 3A-B = 11 ×1 -. 2 3A+3B=-9 - 3A-B = 11: AB = -20 B= -5 1 (1) - 1 - 1 - 1 : substitute B=-5 in egn 1 A+3 = -3 A-5=-3 A = 2

$$\frac{11-3x}{x^{2}+1x-3} = \int \frac{2}{(x-1)} - \int \frac{5}{(x+3)}$$

$$= 2 \int \frac{1}{(x-1)} - 5 \int \frac{1}{(x+3)}$$

$$= 2 \ln(x-1) - 5 \ln(x+2)$$

$$\frac{4x-16}{x^{2}-2x-3}$$

$$\frac{4x-16}{(x+1)} = A + B$$

$$\frac{6x+1}{(x-2)} = A + B(x+1)$$

$$\frac{6x+1}{(x-2)} = A + Bx + B$$

$$\frac{4x-16}{x-16} = Ax-3A+Bx + Bx + B$$

$$\frac{4x-16}{x-16} = (A+B)x + (B-3x)$$

$$A+B = 4x-3 \dots 0$$

$$B-\delta A = -16 \times 1 \dots 0$$

$$B-\delta A = -16 \times 1 \dots 0$$

$$A+B = 4$$

2.
$$B = -1$$
 (substitute in eq. 1)
 $A - 1 = 4$
 $A = 5$

$$\int \frac{4x - 16}{x^2 - 2x - 3} = \int \frac{5}{(\alpha+1)} = \int \frac{1}{(x-3)}$$

$$= 5\ln(x+1) = \ln(x-3)$$
3 $\int \frac{2x^2 - 9x - 25}{(\alpha+1)(\alpha-2)(\alpha+3)} = \int \frac{4}{(\alpha+1)} = \int \frac{4}{(\alpha-2)(\alpha+3)} = \int \frac{4}{(\alpha+1)(\alpha-2)(\alpha+3)} = \int \frac{4}{$

by comparing coefficients. A+B+C=211...0 A+4B-C--9 ... @ -6++3B-2C = -35 -- (3) from egn O., A = 2-B-C ... (2) t- substitute egn 2 33 2-3-6+43-6=9 -6 (2-13-c) +3B-2C=-35 33-20=-11 × 9 9B+4C=-23×3 ·273-18c=-99 - 278+126 = -69 -30C = -30 38-20=-11 3B-1=-11 B=-3 A+B+C=2 A-3+1 = 2 ASFIRM DIA

