



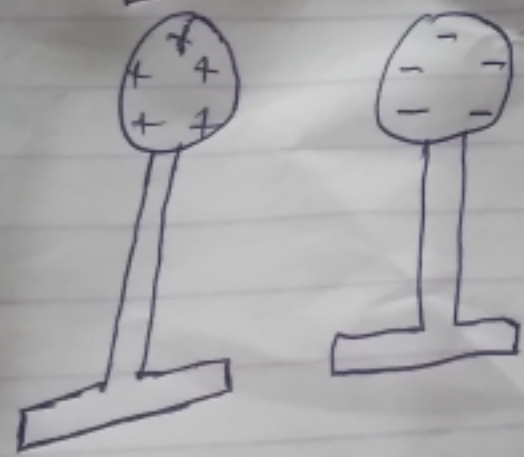
(a) two metal spheres are mounted on insulating stands.



(b) the presence of a charge induces e^- to move from sphere A to B. the two sphere system is polarized.



(c) sphere B is separated from sphere A using insulating stand. the two spheres have opposite charges.



(d) The excess charge distributed itself uniformly over the surface of the spheres.

(e) $E = \frac{Q}{4\pi a^2}$

$$E = \frac{1}{4\pi\epsilon_0} \times \frac{Q}{r^2}$$

$$= \frac{9 \times 10^9 \times 5 \times 10^{-5}}{0.2^2}$$

$$= \frac{8.99 \times 10^4}{4}$$

$$= 44.95 \times 10^4$$

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4

$$= 11.23 \times 10^4$$

$$= 1.12 \times 10^5 \text{ NC}^{-1}$$

$$1.12 = \frac{1N}{a}$$

$$a = \frac{1N}{1.12 \times 10^5} = \frac{0.836 \times 10^{-6} \text{ C}}{1.12 \times 10^5}$$

(2a) The electric field is a region around a charge in which it exerts electrostatic force on another charge, while the strength of the electric field at any point in space is called electric field intensity. It is a vector quantity - It is in NC^{-1}

$$E = \frac{F}{q_0}$$

$$(b) E = \frac{8.99 \times 10^9 \times 8 \times 10^{-9} \times (2 \times 10^{-9})}{(3)^2}$$

$$= \frac{2863 \times 10^{-9}}{9} = 8 \times 10^{-8}$$

$$E = 9.59 \times 10^{-8} \text{ NC}^{-1}$$

③ (a) Volume charge density:-

$$\rho = \frac{q}{V}$$

where, q is the charge
with the volume or distribution. The S.I unit is Cm^{-3}

(b) Surface charge density

$$\sigma = \frac{q}{A} \quad \text{where, } q \text{ is the charge}$$

A is the area of the surface
S.I unit is Cm^{-2}

(c) Linear charge density; $\lambda = \frac{q}{L}$

where q is the charge and L is the length over which it is distributed. The S.I unit is Cm^{-1}

(d) The electric potential at a particular point in space is the work done in moving a positive charge from infinity to that point. The electric potential at infinity is defined as zero. It is related to the electric potential energy in that electric potential is the electric potential energy between two points in space. It is also measured in joules per-coulomb.

In a uniform electric field, the equation to calculate the electric potential difference.

$$V = Ed$$

where, V is the potential difference in volts
 E is the electric field strength in area
 d is the distance between the two plates.

$$\begin{aligned} \text{(e)} \quad \rho &= \frac{kq_1q_2}{r^2} = \frac{9 \times 10^9 \times 10 \times 10^{-6} \times 2 \times 10^{-6}}{(4)^2} \\ &= 0.01125 \text{ N} \\ &= 1.12 \times 10^{-2} \text{ N} \end{aligned}$$

④ Magnetic flux through a surface is the surface integral of the normal component of the magnetic field. Flux density B passing through that surface. SI unit is weber (Wb) (Volt-second). It is usually measured with a flux-meter. It depends on:

- the magnitude of the magnetic field
- Component of the vector of the magnetic field are perpendicular to the surface.

In the most general form, magnetic flux is denoted as $\Phi_B = \iint B \cdot dA$. It is the integral (sum) of all the magnetic field passing through infinitesimal area elements dA .

$$B_m = 4\pi \times 10^{-3} \text{ T} \cdot \text{kg}$$

$$A = 1.6 \times 10^{-9} \text{ m}^2$$

$$B = 3.5 \times 10^{-1} \text{ T}$$

$$f_{\text{Cyclotron frequency}} = f = \frac{qB}{2\pi m} = \frac{1.6 \times 10^{-19} \times 3.5 \times 10^{-1}}{2\pi \times 1.6 \times 10^{-27}} \\ = \frac{5.6 \times 10^{-20}}{5.02 \times 10^{-27}}$$

$$= 4.78 \times 10^{19} \text{ Hz}$$

⑤ Biot-Savart law states that the magnetic flux density near a long, straight conductor is directly proportional to the distance from the conductor.
 A small segment of a conductor Δl along which a current of strength I is flowing creates at a given point M in space, located at a distance r from the segment

$$\Delta H = k \cdot \frac{I \Delta l \sin \theta}{r^2}$$

θ is the angle between the direction of the current in the segment.

r is the radius vector

m and k are the coefficient of proportionality

⑥ Considering the magnetic field due to the current element $I dx$ located at the position x using the right hand rule from the $I dx \times \vec{r}$.

By using scalar addition

$$|I dx \times \hat{r}| = (dx) (I) \sin \theta$$

From Biot-Savart law, $B = \frac{\mu_0 I}{4\pi r^2} \int_0^{\infty} \frac{I \sin \theta dx}{r}$

Express $r \sin \theta = \sqrt{x^2 + R^2}$

Express $\sin \theta$ as $\sin \theta = \frac{R}{\sqrt{x^2 + R^2}}$

Substitution: $B = \frac{\mu_0 I}{2\pi} \int_0^{\infty} \frac{R dx}{(x^2 + R^2)^{3/2}}$

evaluating the integral yields

$$B = \frac{\mu_0 I}{2\pi R} \left[\frac{x}{R \sqrt{x^2 + R^2}} \right]_0^{\infty}$$

limiting the integral $B = \frac{\mu_0 I}{2\pi R}$

⑥ The electric guitar is a type of string instrument that doesn't make sound directly from its strings but uses a kind of electromagnetic induction. It sends waves to a loud speaker and the loud speaker then receives and plays sound. Speaker sound making is made up of paper or plastic moulded into a cone shape called diaphragm. When an audio signal from the guitar is applied to the loud speaker's coil which is suspended in a circular gap between the poles of a permanent magnet, the coil moves rapidly back and forth due to Faraday's law of induction. This causes the diaphragm in the loud speaker attached to the coil to move back and forth, pushing air to create sound waves.