

(i) If we are to apply the balance law:

The Accumulation rate = Input rate of Salt - Output rate of Salt

Where; The Accumulation rate is the Salt within a system

The Input rate is given as the salt into the system

The Output rate is given as the Salt from the system

Denoting; the amount of salt present in the tank at any given time $\langle t \rangle$ is y ; and its time rate of change is given as;

$$\frac{dy}{dt} = j_{in} - j_{out}$$

\therefore Having 50 gallon of brine entering the tank per minute and 1 gallon contains $\langle 1 + \sin t \rangle$ lb of salt;

$$\downarrow, \quad t = 1; \quad \langle 1 + \sin t \rangle = \langle 1 + \sin 1 \rangle = 1.0216 \text{ lb of salt.}$$

$$\therefore 50 \frac{\text{gallon}}{\text{min}} \times 1.0216 \frac{\text{gallon}}{\text{min}} = 51 \frac{\text{lb}}{\text{min}} \quad \langle \text{This is the amount of salt entering the tank} \rangle$$

The tank also contains \Rightarrow 1200 gallon of water (with diss salt)

The ~~same~~ solution that leaves the tank per min \Rightarrow 80 gallons

\therefore 80 gallon = 0.025% of the content of the tank

$\therefore j_{out} = 2.5\%$ of y (because 2.5% of the salt present in the tank will also leave the tank/min)

$$\therefore \frac{dy}{dt} = 51 \frac{\text{lb}}{\text{min}} - 2.5\% \text{ of } y \frac{\text{lb}}{\text{min}}$$

$$b) \quad \frac{dy}{dt} = 51 - 0.025y; \quad \frac{dy}{dt} = -0.025y + 51;$$

$$\frac{dy}{dt} = 0.025 \left\langle \frac{-0.025y}{-0.025y} + \frac{51}{-0.025} \right\rangle; \quad \frac{dy}{dt} = -0.025 \langle y - 2040 \rangle$$

$$\therefore \frac{dy}{dy - 2040} = -0.025 dt; \quad \int \frac{dy}{y - 2040} = \int -0.025 dt$$

$$\int \frac{dy}{y-2040} = -0.025 \int dt : \ln(y-2040) = -0.025t + C$$

$$y-2040 = e^{-0.025t+C} ; y-2040 = e^{-0.025t} e^C$$

$$y-2040 = e^{-0.025t} J_0 \therefore y-2040 = J_0 e^{-0.025t} ;$$

$$y = J_0 e^{-0.025t} + 2040 ; \text{When } t = 0 \text{ (Initially)} y = 15016 ;$$

$$150 = J_0 e^{-0.025(0)} + 2040 ; 150 - 2040 = J_0 \times 1 ;$$

$$J_0 = -1890$$

$$\text{---}; 50 ;$$

$$J = -1890 e^{-0.025t} + 2040$$

$$y = 2040 - 1890 e^{-0.025t} //$$

```

folawiyo.m
1 - commandwindow
2 - clear
3 - cfc
4 - close all
5 - syms m t
6 - t = [0:0.5:7.5]
7 - m = 2000*(1+sin(t)) - 1950*exp(-0.025*t)
8 - plot(t,m)
9 - grid minor
10 - grid on
11 - xlabel('time(hr)')
12 - ylabel('m(pounds)')

```

Command Window

```

t =
    0    0.5000    1.0000    1.5000    2.0000    2.5000    3.0000    3.5000    4.0000    4.5000    5.0000    5.5000    6.0000    6.5000    7.0000    7.5000

m =
  1.0e+03 *
    0.1500    1.1318    1.1182    0.6082   -1.5505   -1.0234   -0.1511    0.8577    1.7610    2.3423

```

Figure 1

time(hr)

m(pounds)

Activate Windows
Go to Settings to activate Windows.

```

1 - commandwindow
2 - clear
3 - clc
4 - close all
5 - syms t
6 - y = (50/0.05)+((50/1.0025)*sin(t))+(((50*(0.05))/1.0025)*cos(t))
7 - ym = 1000-(800*exp(-0.05*t))
8 - oddValues = 1:2:500
9 - evenValues = 2:2:500
10 - ym = double(subs(y, oddValues))
11 - ymm = double(subs(y, evenValues))
12 - totTime = 1:1:500
13 - timeTrans = totTime'
14 - c = reshape([ym, ymm], [], 1)
15 - combVal = double(c)
16 - plot(totTime, c)
17 - grid on
18 - grid minor
19 - xlabel('T(min)'), ylabel('V(litre)')
20 - col_header = {'t(min)', 'V(Litre)'}
21 - xlswrite('odevbesdata.xlsx', col_header, 'veriler', 'A2')
22 - xlswrite('odevbesdata.xlsx', timeTrans, 'veriler', 'A3')
23 - xlswrite('odevbesdata.xlsx', combVal, 'veriler', 'B2')

```

Workspace

Name	Value
c	62750x1 double
combVal	62750x1 double

script

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6:52 PM
5/6/2020

