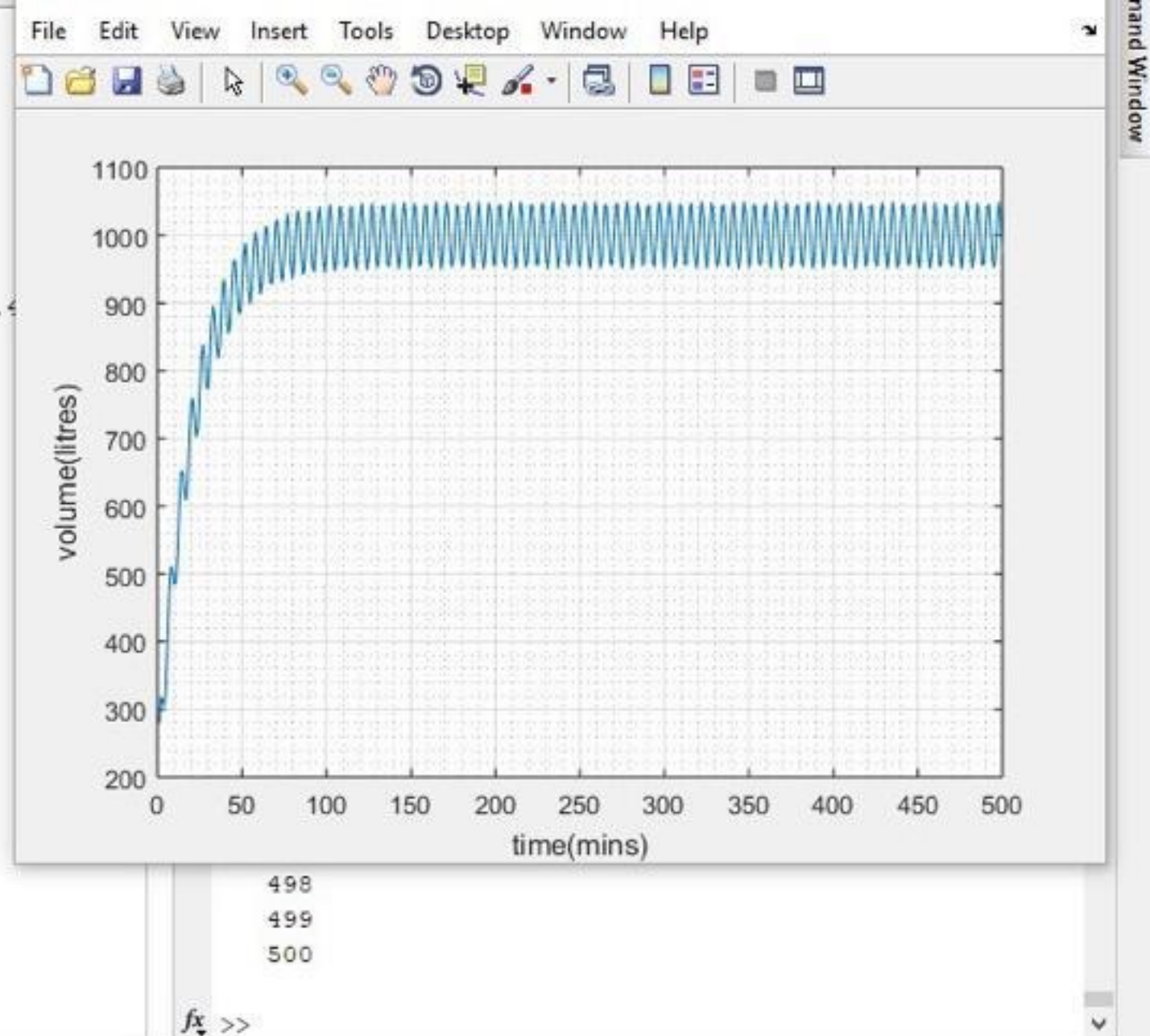



```

1 - commandwindow
2 - clear
3 - clc
4 - close all
5 - syms t
6 - values=[]
7 - t=1:1:500
8 - mean=1000-((exp(-0.05*t))*800)
9 - y=1000+(50/1.0025)*sin(t)+(2.5/1.0025)*cos(t)-((exp(-0.05*t))*802.4
10
11 - if rem(t,2) ==0
12 -     values=[values,mean]
13 - else
14 -     values=[values,y]
15 - end
16 - excelvalues=transpose(values)
17 - mins=transpose(t)
18 - plot(t,values)
19 - grid on
20 - grid minor
21 - xlabel('time(mins)')
22 - ylabel('volume(litres)')
23 - xlswrite('odevbesdata.xlsx',{'t(min)'},'veriler','A1')
24 - xlswrite('odevbesdata.xlsx',mins,'veriler','A2')
25 - xlswrite('odevbesdata.xlsx',{'V(Litre)'},'veriler','B1')
26 - xlswrite('odevbesdata.xlsx',excelvalues,'veriler','B2')
27

```



Uba Chikama Raphael Johnson

18/ENG 06 1066

Mechanical Engineering

ENG 282 (Engineering Maths II)

i) Using 'Balance law' The accumulation rate of salt within a system is equal to the input rate of salt into the system minus the output rate of salt from a system = Input rate of salt into the system

- Output rate of salt from the system

Let the amount of salt present in the tank at any time t be y . Time rate of change of $y = \frac{dy}{dt} = y_{in} - y_{out}$

If 50 gal of brine enters the tank per minute & one contains $(1 + \sin t)$ lb of salt, then at $t = 1$, $(1 + \sin t) = (1 + \sin 0) = 1.0216$. Hence, the amount of salt entering into the tank is $50 \text{ gal/min} \times 1.0216 \text{ lb/gal} = 51 \text{ lb/min}$

The tank contains 1200 gal of water with dissolved salt and 30 gal of the solution exits the tank per min i.e. $\frac{30 \text{ gal}}{1200 \text{ gal}} = 0.025 = 2.5\%$

Of the content of the tank, so 2.5% of the salt present inside the tank will also leave the tank per minute i.e. $y_{out} = 2.5\% \text{ of } y$

$$a) \frac{dy}{dt} \text{ lb/min} = 51 \text{ lb/min} - 2.5\% \text{ of } y \text{ lb/min}$$

$$b) \frac{dy}{dt} = 51 - 0.025y, \quad \frac{dy}{dt} = -0.025y + 51$$

$$\frac{dy}{dt} = -0.025 \left(\frac{-0.025y + 51}{-0.025y - 0.025} \right); \quad \frac{dy}{dt} = -0.025(y - 2040)$$

$$\frac{dy}{(y - 2040)} = -0.025 dt; \quad \int \frac{dy}{(y - 2040)} = \int -0.025 dt$$

$$\int \frac{dy}{(y-2040)} = -0.025 \int dt ; \ln(y-2040) = -0.025t + C$$

$$y - 2040 = e^{-0.025t + C} ; y - 2040 = e^{-0.025t} e^C$$

$$y - 2040 = e^{-0.025t} y_0 ; y - 2040 = y_0 e^{-0.025t}$$

$$y = y_0 e^{-0.025t} + 2040 ; \text{Initially when } t=1, y=150$$

$$150 = y_0 e^{-0.025} + 2040 ; 150 - 2040 = y_0 e^{-0.025}$$

$$y_0 = -1890$$

$$y = -1890 e^{-0.025t} + 2040$$

$$y = 2040 - 1890 e^{-0.025t}$$