

```

1 - commandwindow
2 - clear
3 - clc
4 - close all
5 - syms m t
6 - ans = solve('Dm=0.025*m=50+50*sin(t)', 'm(0)=150')
7 - t0=0.5:450
8 - tn=subs(ans,t)
9 - plot(t,tn)

```

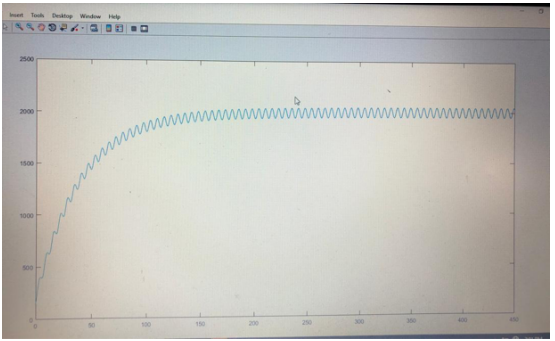
Command Window

New to MATLAB? See resources for Getting Started

445.5000 446.0000 446.5000 447.0000 447.5000 448.0000 448.5000 449.0000 449.5000 450.0000

tn =

[ 150, 2000 - (2000\*1601^(1/2)\*cos(atan(1/40) + 1/2))/1601 - (2881850\*exp(-1/80))/1601, 2000 - (2000\*1601^(1/2)\*cos(atan(1/40) + 1/2))/1601 - (2881850\*exp(-1/80))/1601, ...



Handwritten notes showing the derivation of the differential equation and its solution using the integrating factor method.

1 a)  $\frac{dy}{dt} = 50 - 0.025y$

$\frac{dy}{dt} = 50(1 + \sin t) - 0.025y$

$\frac{dy}{dt} = 50(1 + \sin t) - 0.025y$

By separating the variables

$\frac{dy}{dt} + 0.025y = 50(1 + \sin t)$

Multiply both sides by  $e^{0.025t}$

$(y + 0.025y) = 50(1 + \sin t)e^{0.025t}$

1 b)  $\frac{dy}{dt} = 50(1 + \sin t) - 0.025y$

$\frac{dy}{dt} + 0.025y = 50(1 + \sin t)$

using linear equation method

$\frac{dy}{dt} + Py = Q$

$P = 0.025, Q = 50(1 + \sin t)$

$I.F. = e^{\int P dt} = e^{0.025t}$

$I.F. = C$

$y \cdot I.F. = \int Q \cdot I.F. dt$

$y \cdot e^{0.025t} = \int 50(1 + \sin t)e^{0.025t} dt$

