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16/ENK03/040  
Civil Engineering

1a) for the rise and fall method advantages

- i) It is easy to spot errors
- ii) It can get checks on the reduced level of the intermediate points
- iii) This system is suitable where there are no intermediate points

(b)

Disadvantages of the rise and fall method

- i) visualization is necessary regarding the measure of the ground
- ii) It is laborious involving several calculations.

Advantages of the height of collimation

- i) visualization is not necessary regarding the nature of the ground
- ii) It is easy and quick to solve
- iii) There are two checks on the accuracy of the calculations

Disadvantage of the height of collimation

- i) Errors in the intermediate sight can not be detected
- ii) There is no check on the rise of the intermediate sight.



BS	FS	FS	Top of C	R-2	Distance
0.771			193.771	193	0 RL
0.802		1.52	193.053	192.251	10 CP
	2.311			190.742	20
3.580		1.990	194.643	191.663	30 CP
	1.220			193.423	40
	3.675			190.968	50
2.408		4.020	193.031	190.623	60 CP
	0.339			192.692	70
0.780		0.157	193.654	192.874	80 CP
	1.535			192.119	90
	1.955			191.699	100
	2.430			191.224	110
	2.985			190.659	120
1.155		3.480	191.327	190.174	130 CP
	1.960			189.369	140
	2.365			188.964	150
0.935		3.640	188.624	187.689	160 CP
	1.045			187.579	170
	1.630			186.974	180
		2.545		186.079	190
Σ		Σ			
10.431		17.352			



Check 0

$$H \text{ of } C = RL + \text{staff reading (B.S)}$$

$$RL = H \text{ of } C - \text{staff reading}$$

$$\text{First reduced level} = 110 + \text{metric number}$$

$$= 110 + 0.83$$

$$= 193$$

$$D) H \text{ of } C = RL + BS$$

$$= 193 + 0.771$$

$$= 193.771$$

$$RL = H \text{ of } C - \text{staff reading}$$

$$= 193.771 + 1.520 = 192.251$$

$$H \text{ of } C = 192.251 + 0.802$$

$$= 193.053$$

$$RL = 193.053 - 2.311 = 190.742$$

$$RL = 193.053 - 1.990 = 191.063$$

$$H \text{ of } C = 191.063 + 3.580$$

$$= 194.643$$

$$RL = 194.643 - 1.220 = 193.423$$

$$RL = 194.643 - 3.675 = 190.968$$

$$RL = 194.643 - 4.020 = 190.623$$



$$HI \text{ of } C = 190.623 + 2.408 = 193.031$$

$$RL = 193.031 - 0.339 = 192.692$$

$$RL = 193.031 - 0.157 = 192.874$$

$$HI \text{ of } C = 192.874 + 0.780 = 193.654$$

$$RL = 193.654 - 1.539 = 192.119$$

$$RL = 193.654 - 1.955 = 191.699$$

$$RL = 193.654 - 2.430 = 191.224$$

$$RL = 193.654 - 2.985 = 190.669$$

$$RL = 193.654 - 3.480 = 190.174$$

$$HI \text{ of } C = 190.174 + 1.155 = 191.329$$

$$RL = 191.329 - 1.960 = 189.369$$

$$RL = 191.329 - 2.365 = 188.964$$

$$RL = 191.329 - 3.640 = 187.689$$

$$HI \text{ of } C = 187.689 + 0.935 = 188.624$$

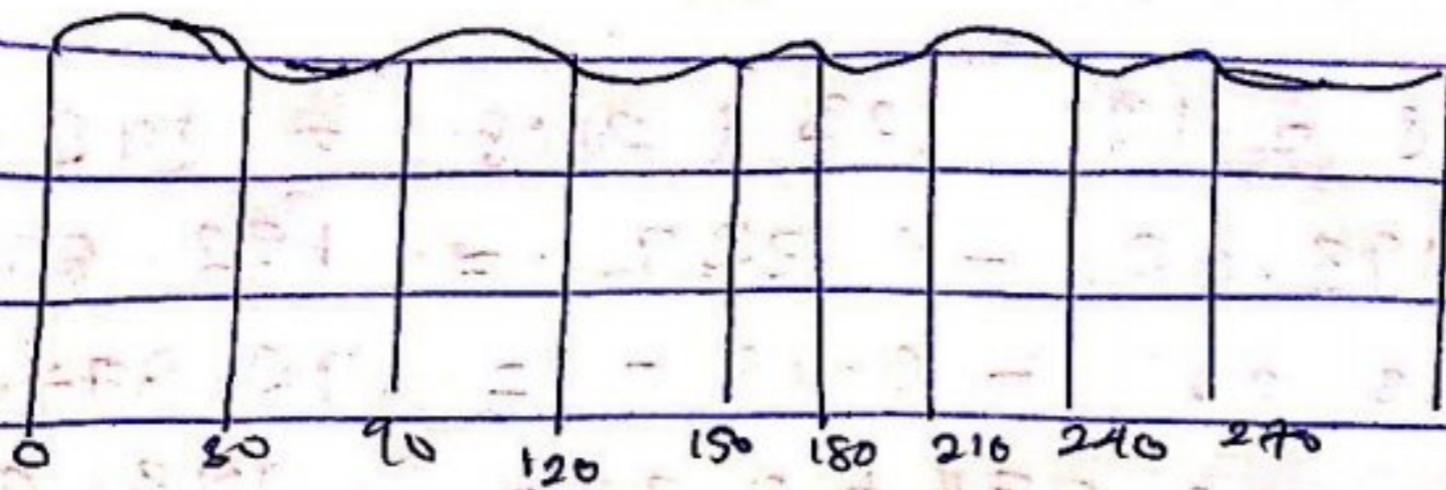
$$RL = 188.624 - 1.045 = 187.579$$

$$RL = 188.624 - 1.630 = 186.994$$

$$RL = 188.624 - 2.545 = 186.079$$

Q.A	Chainage (m)	0	30	60	90	120	150	180	210	240	270
	Offset length (m)	0	2.65	3.80	3.75	4.63	3.60	5.00	5.80	6.10	5.85





Using mid-ordinate rule

$$A = d \sum h$$

$$h_1 = \frac{0 + 2.65}{2} = 1.325$$

$$h_9 = \frac{6.10 + 5.05}{2}$$

$$h_2 = \frac{2.65 + 3.80}{2} = 3.225$$

$$= 5.975$$

$\sum h = h_1 + h_2 + h_3 + h_4 + h_5 + h_6 + h_7 + h_8 + h_9$

$$h_3 = \frac{3.80 + 3.75}{2} = 3.775$$

$$= 1.325 + 3.225 + 3.775 + 4.2$$

$$+ 4.125 + 4.3 + 5.4 + 5.95$$

$$h_4 = \frac{3.75 + 4.65}{2} = 4.2$$

$$\sum h = 38.275 \text{ m}$$

$$d = 30 \text{ m}$$

$$h_5 = \frac{4.65 + 3.60}{2} = 4.125$$

$$A = d \sum h$$

$$= 30 + 38.275$$

$$h_6 = \frac{3.60 + 5.00}{2} = 4.3$$

$$= 1148.25 \text{ m}^2$$

$$h_7 = \frac{5.00 + 5.80}{2} = 5.4$$

$$h_8 = \frac{5.80 + 6.10}{2} = 5.95$$



Average ordinate rule.

$$A = \frac{nd \sum O_i}{n+1}$$

$$n = 10 - 1 = 9$$

$$d = 30$$

$$\sum O_i = 2.0 + 2.65 + 3.80 + 3.75 + 4.65 + 5.60 + 5.00 + 5.80 + 6.10 + 5.85$$

$$\sum O_i = 41.2 \text{ m}$$

$$A = \frac{9 \times 30 + 41.2}{9+1} = 112.4 \text{ m}^2$$

Trapezoidal Rule.

$$A = d \left[ \frac{O_1 + O_n}{2} + O_2 + O_3 + O_4 + \dots + O_{n-1} \right]$$

$$d = 30$$

$$A = 30 \left[ \frac{0 + 5.85}{2} + 2.65 + 3.80 + 3.75 + 4.65 + 5.60 + 5.00 + 5.80 + 6.10 \right]$$

$$A = 30 [38.275]$$

$$A = 1148.25 \text{ m}^2$$

Simpson rule.

$$A = \frac{d}{3} \left[ (O_1 + O_n) + 4(O_2 + O_4 + O_6 + \dots + O_{n-1}) + 2(O_3 + O_5 + O_7 + \dots + O_{n-2}) \right]$$

$$d = 30$$

Note: last offset was removed because number of

offset was even



$$A = \frac{30}{3} [(0+6.10) + 4(2.65 + 3.75 + 3.60 + 5.80) + 2(4.65 + 5.00 + 3.80)]$$

$$A = 30 \times (96.2)$$

$$A = 962 \text{ m}^2$$

(Using trapezoidal rule to solve the last offset)

$$A = d \left[ \frac{O_1 + O_n}{2} + O_2 + O_3 + O_4 + \dots + O_{n-1} \right]$$

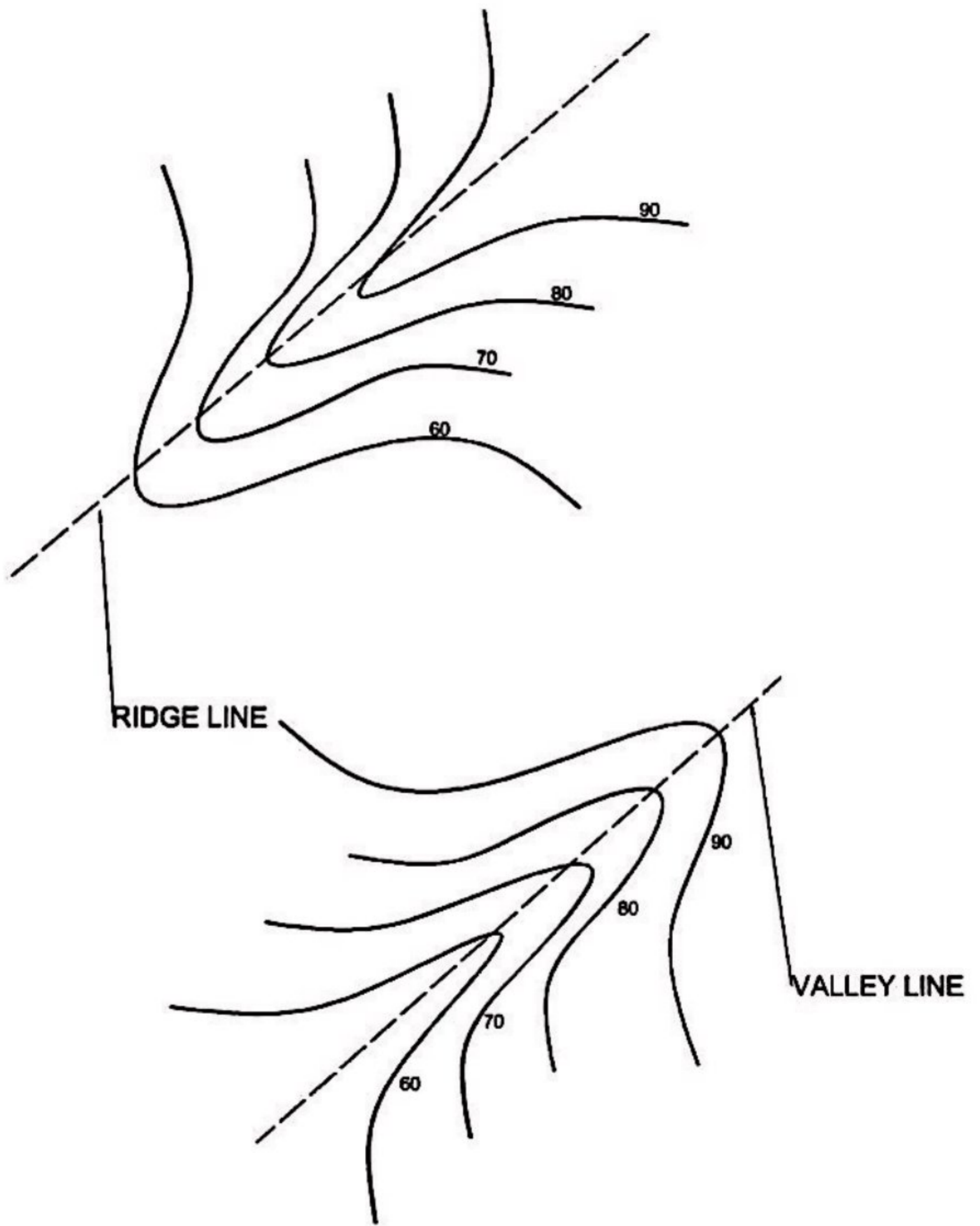
$$d = 30$$

$$A = 30 \left[ \frac{6.40 + 5.85}{2} \right]$$

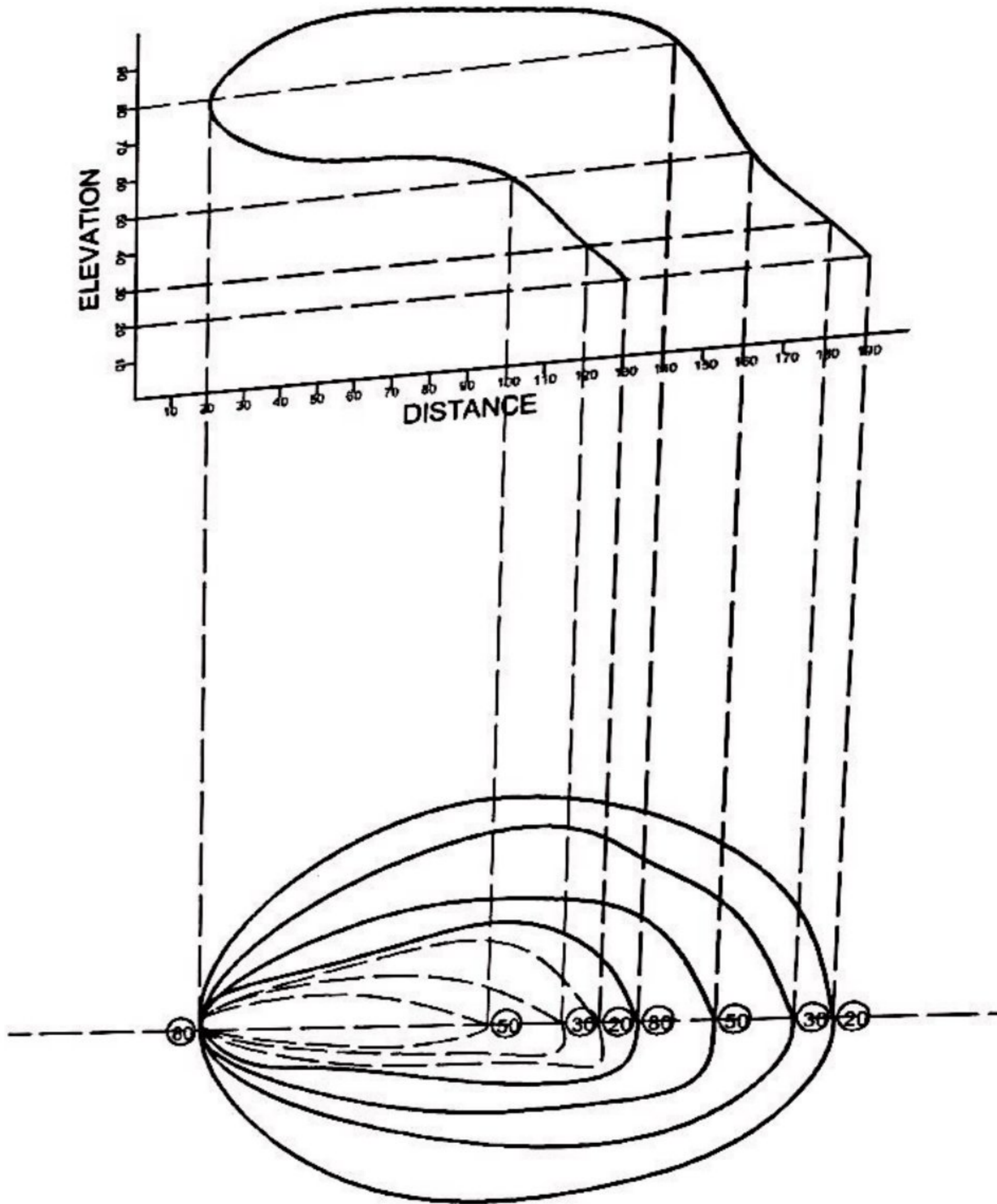
$$A = 183.75 \text{ m}^2$$

$$\text{Therefore } \Sigma A = 962 + 183.75 \\ = 1145.75 \text{ m}^2$$

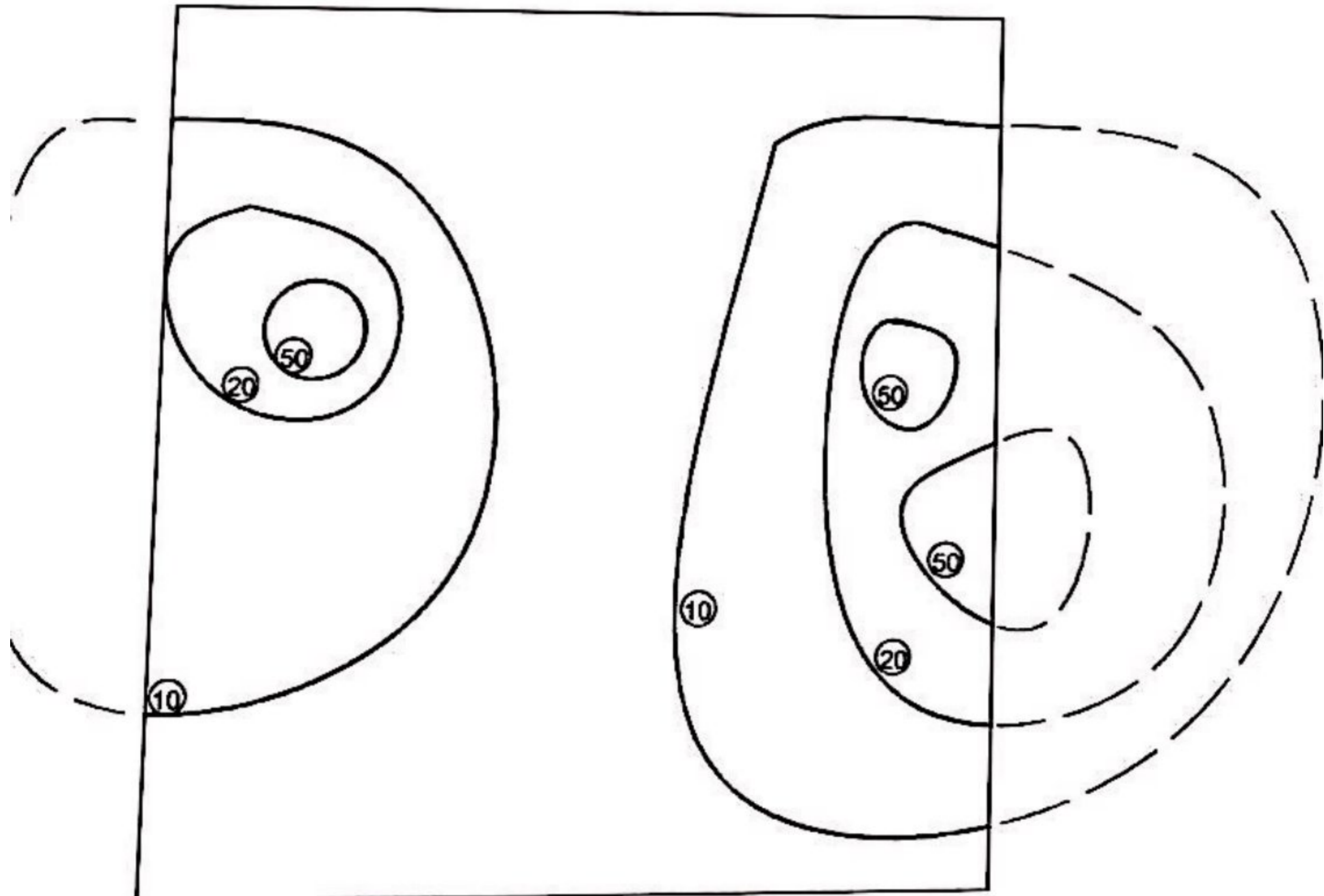




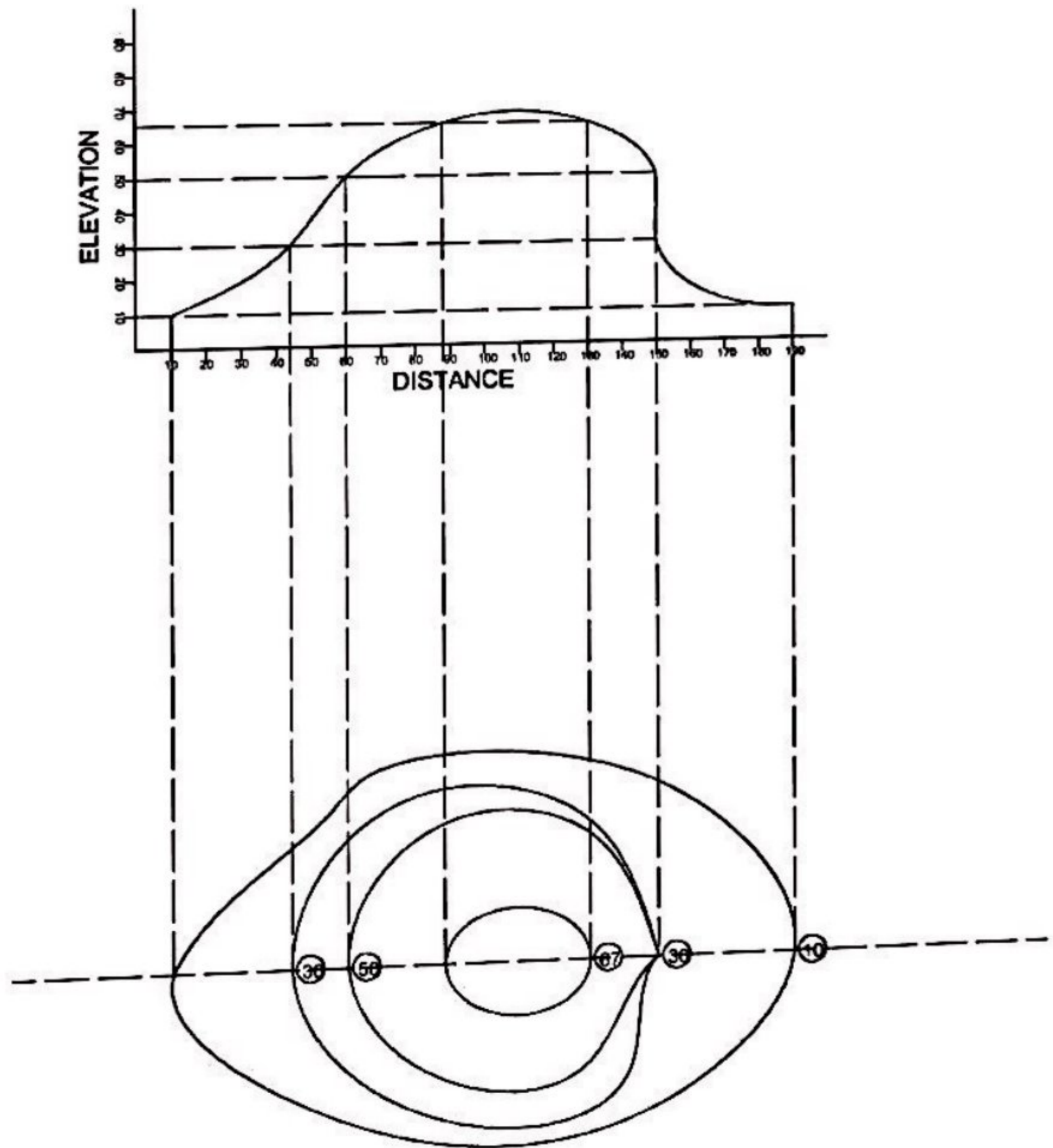




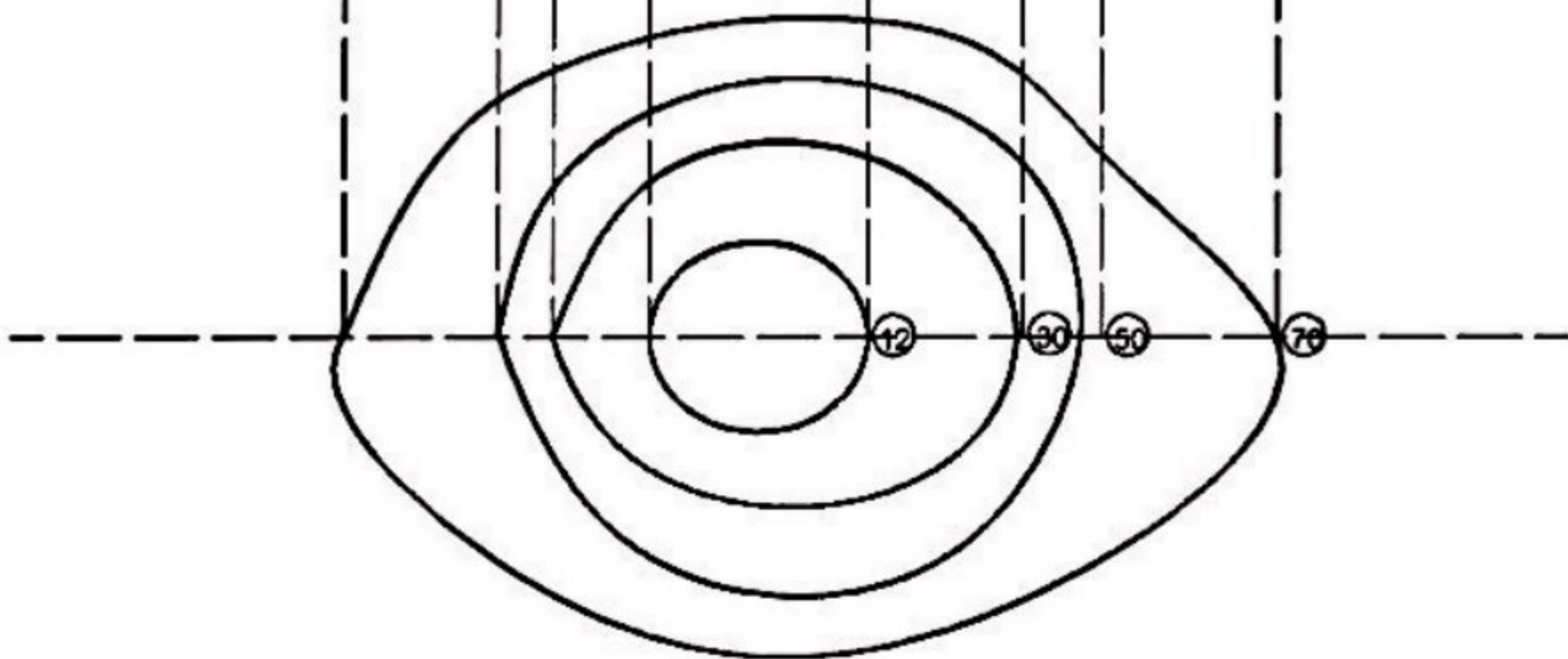
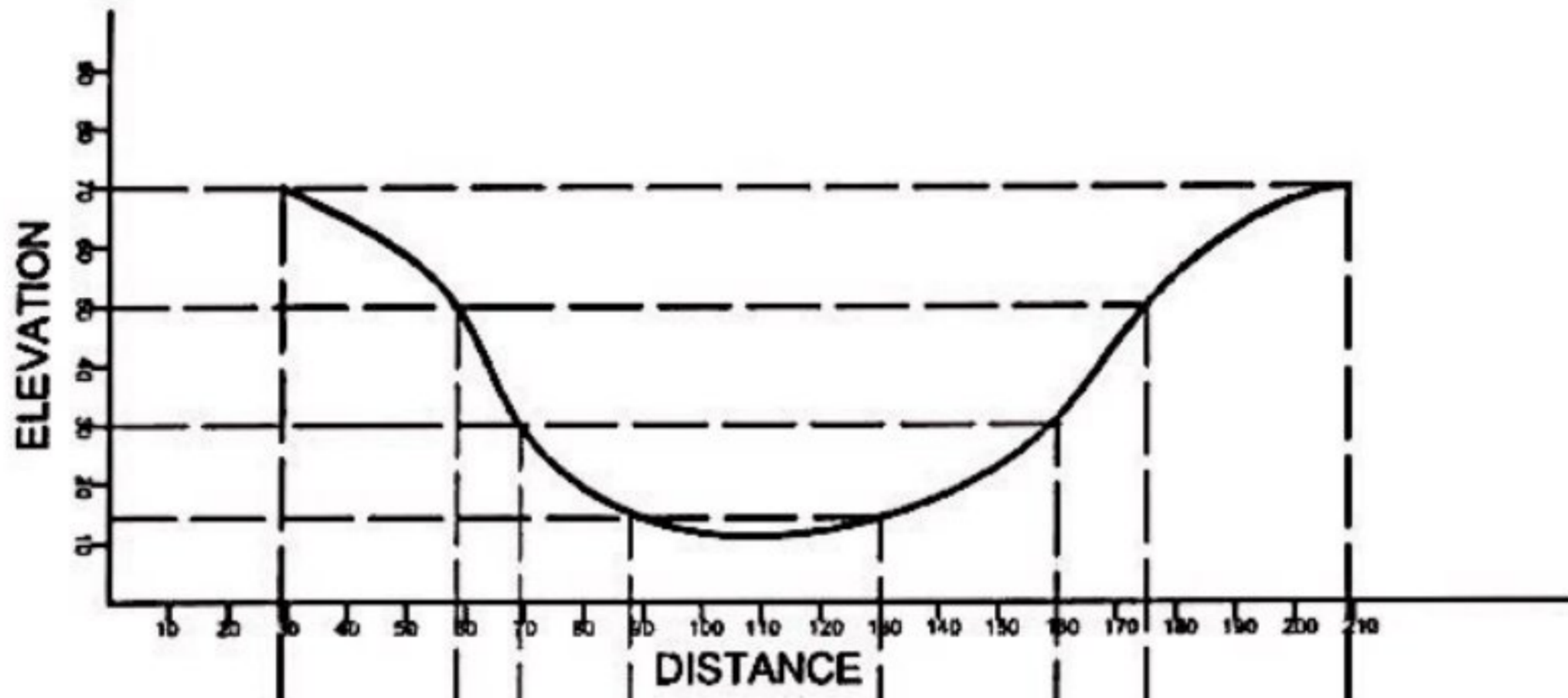




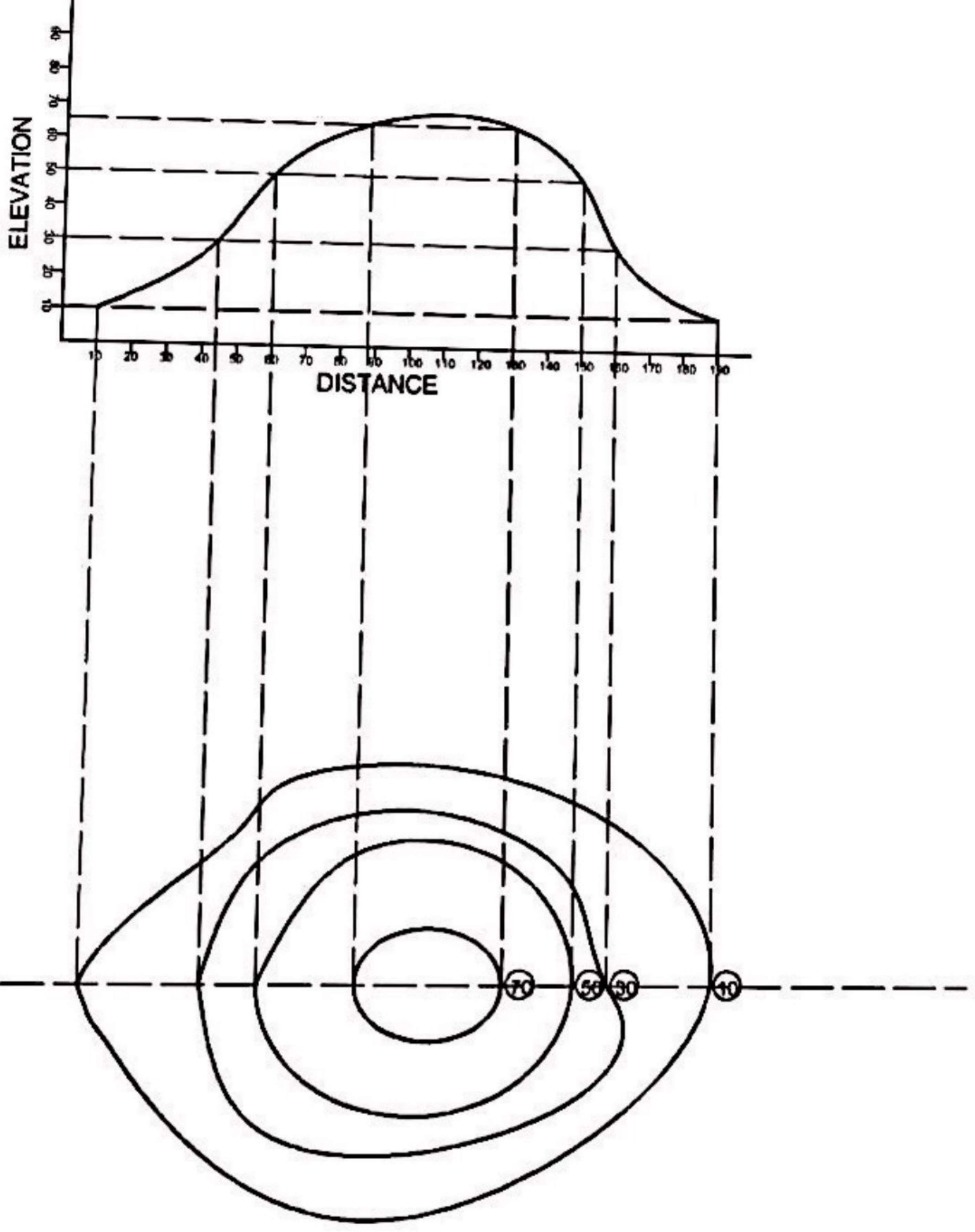




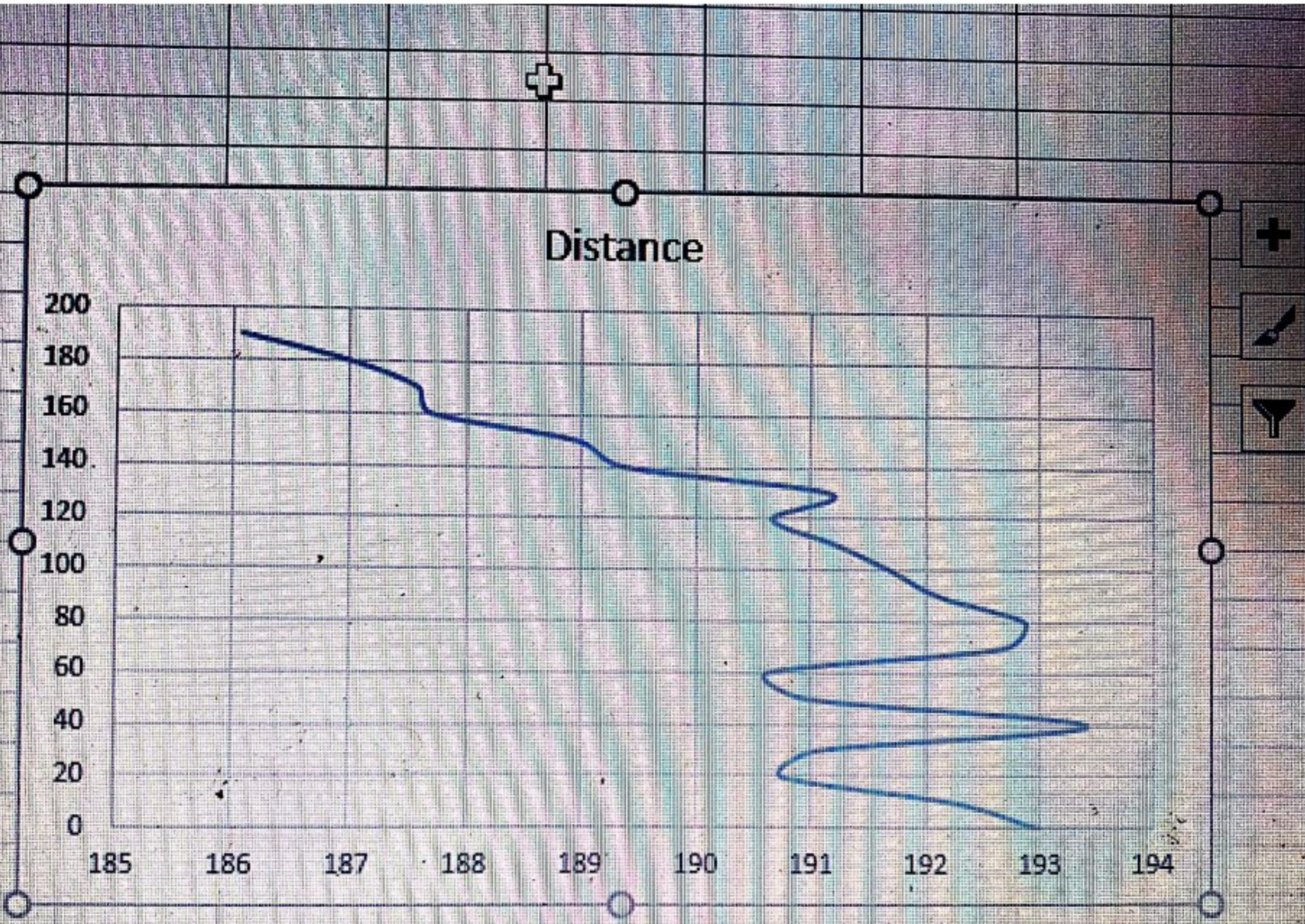












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