

ADETORO FRAYOWA SOLA

18 | ENJOY (005

ELECT | ELECT

① find the velocity of the particle using

$$v = \frac{ds}{dt} \quad (1)$$

for $0 \leq t \leq 6s$ substitute, $0.5t^3$ for s in the equation (1)

$$\begin{aligned} v &= \frac{ds}{dt} \\ &= \frac{d}{dt} (0.5t^3) \\ &= 0.5 \frac{d}{dt} (t^3) \\ &= 1.5t^2 \end{aligned}$$

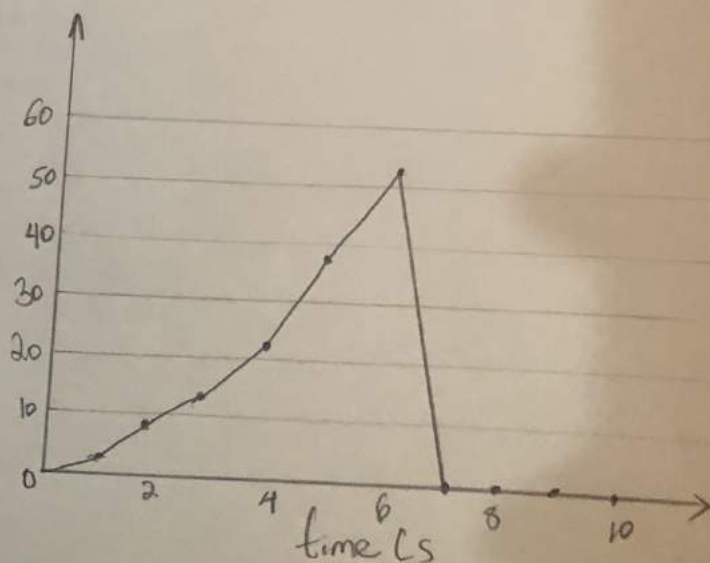
find the velocity at point where time is 6s (maximum velocity)

$$\begin{aligned} v &= 1.5t^2 \\ &= 1.5 \times 6^2 \\ &= 54 \text{ m/s} \end{aligned}$$

for $6s < t \leq 10s$ substitute, 108 for s in the equation (1)

$$\begin{aligned} v &= \frac{ds}{dt} \\ &= \frac{d}{dt} (108) \\ &= 0 \end{aligned}$$

Velocity



(F12-10)

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18/10/2005

Elect Elect.

Write equation for velocity of van:

$$v = \frac{ds}{dt} \quad (1)$$

$$ds = v dt$$

Here, v is velocity of van, s is displacement of van, t is the time

Substitute $(-4t + 80)$ for v in equation (1)

$$ds = v dt$$

$$ds = (-4t + 80) dt \quad (2)$$

Identify the Initial Conditions:

$$s = 0 \text{ m when } t = 0 \text{ s.}$$

Let the upper limits of displacement and time be s and t respectively

Integrate equation (2) between the above specified limits.

$$\int_0^s ds = \int_0^t (-4t + 80) dt$$

$$|s|_0^s = \left| -\frac{4t^2}{2} + 80t \right|_0^t$$

$$|s|_0^s = \left| -2t^2 + 80t \right|_0^t$$

$$s = (-2t^2 + 80t)$$

Write equation for acceleration of the van:

$$a = \frac{dv}{dt}$$

Here, a is acceleration of car

Substitute $(-4t+80)$ for v

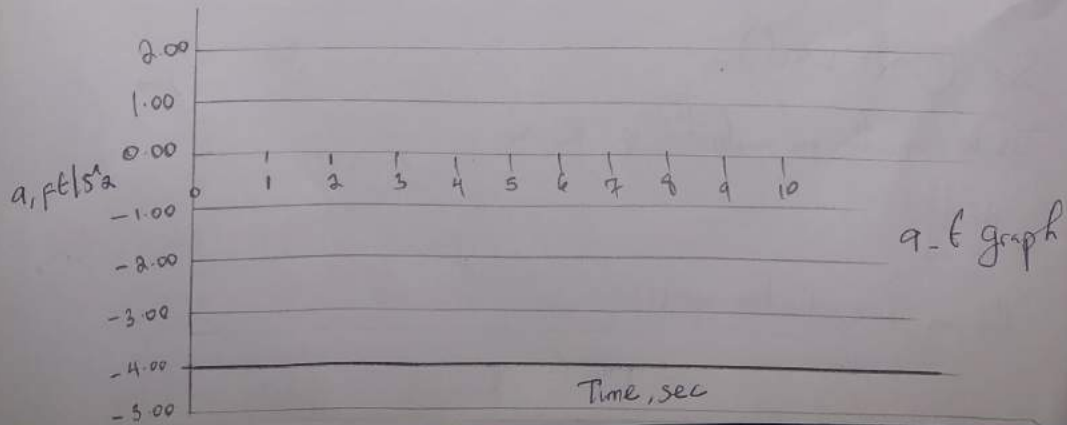
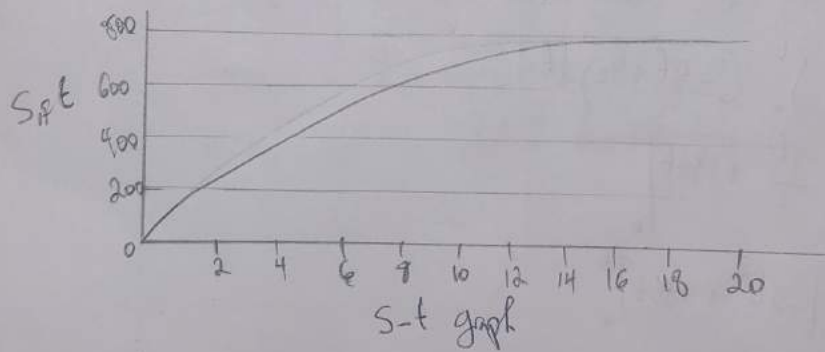
$$a = \frac{d}{dt} (-4t + 80)$$

$$= -4 \text{ ft/s}^2$$

$$= 4 \text{ ft/s}^2 \leftarrow$$

Tabulate values of displacement for time range 0 sec to 20 sec.

Time Seconds	$S = -2t^2 + 80t$ (m)	Time Seconds.	$S = -2t^2 + 80t$ (m)
0	0	12	672
2	152	14	728
4	288	16	768
6	408	18	792
8	512	20	800
10	600		



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Elect Select

Fig 12-11

Acceleration of the bicycle is expressed as

$$a = v \frac{dv}{ds} \quad (1)$$

For $0 \leq t < 40s$:

$$v = 0.25s$$

According, we have from (1)

$$a = (0.25s) \times \frac{d}{ds} (0.25s)$$

$$a = (0.0625s) \quad (2)$$

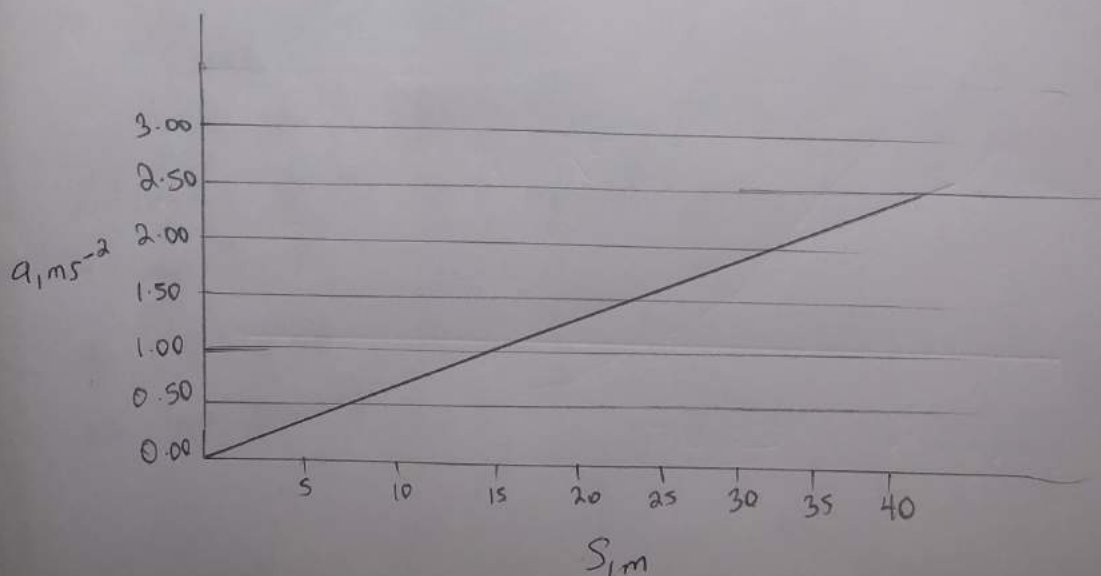
At $S = 40s$: we have from (2)

$$a/40s = (0.0625 \times 40)$$

$$a/40s = 2.5 \text{ m/s}^2$$

$$a/40s = 2.5 \text{ m/s}^2 \rightarrow$$

The $a-s$ graph is plotted ~~below~~ on



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1st/Entro of Coos
Elect/Elect

Fig 12-12

Velocity of the car is expressed as

$$v = \frac{ds}{dt} \quad (1)$$

For $0 \leq t \leq 50$

$$s = 3t^2$$

According we have

$$v = \frac{d}{dt} (3t^2)$$

$$v = 6t \quad (2)$$

At $t = 50$

$$v/t = 50 = 6 \times 5$$

$$v/t = 50 = 30 \text{ m/s}$$

$50 < t \leq 100$

$$s = 30t - 75$$

According we have from (1)

$$v = \frac{d}{dt} (30t - 75)$$

$$v = 30 \text{ m/s} \quad (3)$$

Acceleration of the car is expressed as

$$a = \frac{dv}{dt} \quad (4)$$

for $0 \leq t \leq 50$

We have from (2) eq, $v = 6t$

we have (4)

$$a = \frac{d}{dt} (6t)$$

$$a = 6 \text{ m/s}^2$$

for $5 \leq t \leq 10 \text{ s}$

we have from (3) $v = 30 \text{ m/s}$

$$a = \frac{d}{dt} (30 \text{ m/s})$$

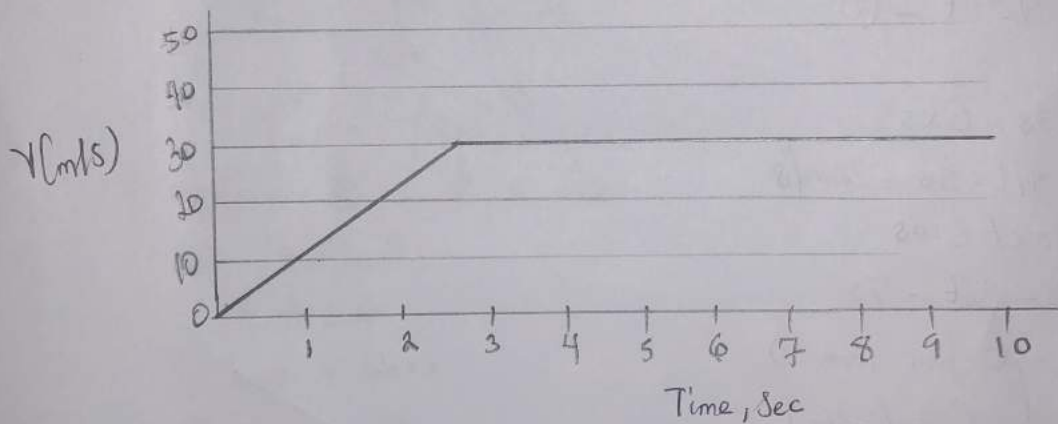
$$a = 0 \text{ m/s}^2$$

ΑΔΕΥΟΤΟ ΜΑΥΟΡΑ ΣΕΑ

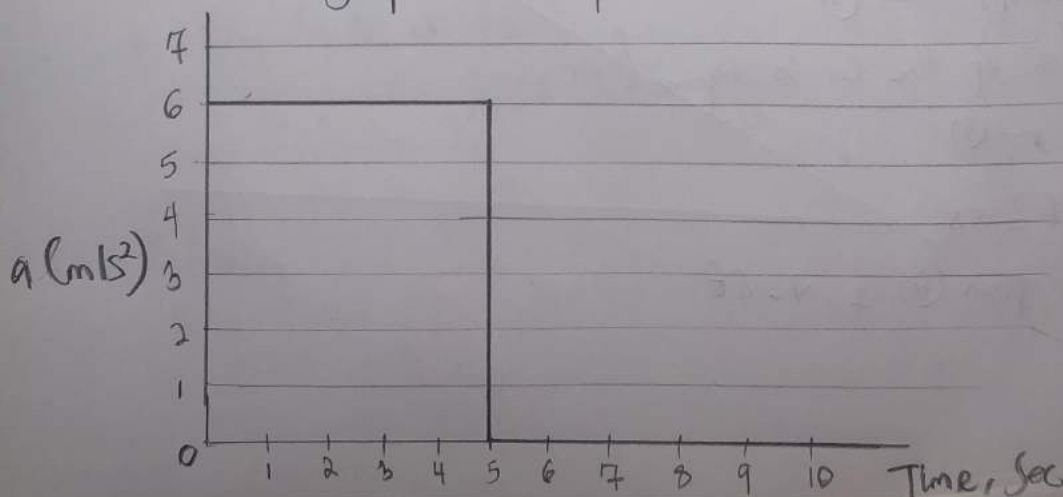
18/Επιδροφας

Εβελ(Εβελ)

$v-t$ graph is plotted based on the data.



$a-t$ graph is plotted based on the data



ADETORO MANOWA SOLA

Method of Loos

Elect/Elect

Fig 12-13

Acceleration of the dropper is expressed as

$$a = \frac{dv}{dt}$$

$$dv = a dt \quad \text{--- (1)}$$

for $0 \leq t < 5s$.

By integrating (1), we have

$$\int_0^v dv = \int_0^t 20 dt$$

$$|v|_0^v = |20t|_0^t$$

By applying the limits, we have

$$v = (20t) \text{ m/s}$$

At $t = 5s$:

$$v|_{t=5s} = 20 \times 5$$

$$v|_{t=5s} = 100 \text{ m/s}$$

for $5s < t \leq t'$:

By integrating (2), we have

$$\int_{100}^v dv = \int_5^{t'} -10 dt$$

$$|v|_{100}^v = |-10t|_5^{t'}$$

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(8) (2) 100/100

By applying the limits, we have

$$(v-100) = (-10t' + 10 \times 5) \text{ m/s}$$

$$v = (150 - 10t') \text{ m/s} \quad (2)$$

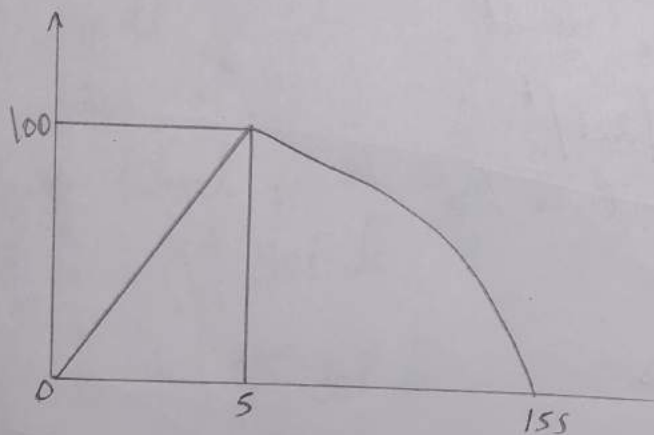
When the car comes to rest, we have

Accordingly, we have from (2)

$$0 = (150 - 10t')$$

$$t' = 15 \text{ s}$$

v-t graph



F12-14

ΑΡΙΣΤΟΤΕΛΗΣ ΜΑΘΗΤΗΣ ΣΟΛΗ
18/04/2005
Ελευθέριος

Calculate the equation for the velocity of the dragster.

$$v = \frac{ds}{dt}$$

$$ds = v dt \quad (1)$$

Calculate the equation for the distance travelled between $0 \leq t \leq 5s$.

Substitute $30t$ for v in the equation (1).

$$\begin{aligned} ds &= v dt \\ &= 30t \times dt \end{aligned}$$

Applying Integral for the equation for the region $0 \leq t \leq 5s$.

$$\int_0^5 ds = \int_0^5 30t dt$$

$$\int_0^5 ds = \int_0^{5\text{sec}} 30t dt$$

$$S = \left[30 \times \frac{t^2}{2} \right]_0^5$$

$$S = [15t^2]_0^5$$

$$= 15 \times 5^2$$

$$= 375\text{m}$$

375m

Calculate the equation for the distance travelled between
 $5s < t \leq 15s$.

Substitute $(-15t + 225)$ for v in the equation (1)

$$ds = v dt \\ = (-15t + 225) dt$$

Apply integral for the equation for the region $5s < t \leq 15s$.

$$\int_{375}^s ds = \int_5^t (-15t + 225) dt$$

$$s \Big|_{375}^s = \left[\frac{-15t^2}{2} + 225t \right]_5^t$$

$$(s - 375) = \left(\frac{-15t^2}{2} + 225t \right) - \left[\frac{-15 \times 15^2}{2} + 225 \times 15 \right] \quad (2)$$

$$(s - 375) = (-7.5t^2 + 225t) - 937.5$$

$$s = (-7.5t^2 + 225t - 562.5) m$$

Substitute 15 Sec for t in the equation (2) to calculate the total distance travelled

$$s = (-7.5t^2 + 225t - 562.5) m \\ = (-7.5 \times 15^2 + 225 \times 15 - 562.5) m$$

$$s = 1125 m$$

Therefore, the total distance travelled in the time interval

$$0s < t \leq 15s \text{ is } \boxed{1125m}$$

P12-14

Tabulate the values for the distance travelled in the time interval $0 \leq t \leq 15s$

ΑΔΕΥΟΡΟ ΜΑΧΟΚΛΑ ΣΟΛΑ
18/12/2004
Elect/Elect.

t	s
0	0
1	15
2	60
3	135
4	240
5	375
6	540
7	845
8	757.5
9	855
10	937.5
11	1005
12	1057.5
13	1095
14	1117.5
15	1125

