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17/sci02/051

1. **Computability** is about what can be computed while **Complexity** is about how efficiently can it be computed.

Put succinctly,

computability theory is concerned with what can be computed versus what cannot; **complexity** is concerned with **the** resources required to compute **the** things that are **computable**.

2a. Examples of complexity theory includes the aforementioned concepts of proofs and representation as well as concepts like randomness, knowledge, interaction, secrecy and

learning.

2b. Example of

computability theory is, one can impose limitations on the size of the alphabet, or one can insist that the machine never move to the left of its initial starting point.

3.. A **set** is a group or collection of objects or numbers, considered as an entity unto itself.

Examples include the **set** of all computers in the world, the **set** of all apples on a tree, and the **set** of all irrational numbers between 0 and 1.

ii. The **power set** (or **powerset**) of any set S is the set of all subsets of S , including the empty set and

S itself,

iii. Member of a set is usually the subset of a set.

Iv. Subset: A **set** A is a **subset of a set** B if every element of A is also an element of B. Notation: $A \subseteq B$ is read, "**Set** A is a **subset** of **set** B." Example: In the paragraph above, the **set** of members of the U.S.

Senate's Judiciary

Committee is a **subset** of the **set** of members of the U.S. Senate.

V. A proper subset of a set A is a **subset** of A that is not equal to A. In other words, if B is a **proper subset** of A, then all elements of B are in A but A contains at least one element that is not in B. For example, if $A = \{1, 3, 5\}$ then $B = \{1, 5\}$ is a **proper subset**

of A.

Vi. An infinite set is a set that is not a finite set. Infinite sets may be countable or uncountable.

Vii. **Examples of infinite set:**

Set of all points in a line segment is an **infinite set**.

3. **Set** of all positive integers which is multiple of 3 is an **infinite set**. ... i.e. **set** of all natural numbers is an **infinite set**.

Viii. an **unordered pair** or **pair set** is a set of the form $\{a, b\}$, i.e. a set having two elements a and b with no particular relation between them. In contrast, an ordered **pair** (a, b) has a as its first element and b as its second element.

Ix. A finite set is a set that

has a finite number of elements. Informally, a finite set is a set which one could in principle count and finish counting. For example, is a finite set with five elements. The number of elements of a finite set is a natural number and is called the cardinality of the set.

X. The **intersection** of two **sets** A and B , denoted by $A \cap B$, is the **set** containing all elements of A that also belong to B (or equivalently, all elements of B that also belong to A).

Xi. **Complement of a Set:** The **complement of a set**, denoted A' , is the **set** of all elements in the given universal **set** U that are not in A **Example:** $U' = \emptyset$ The **complement** of the

universe is the empty **set**.

Example: $\emptyset' = U$ The **complement** of an empty **set** is the universal **set**.

Xii. The **difference** of two **sets**, written

$A - B$ is the **set** of all elements of A that are not elements of B . The **difference** operation, along with union and intersection, is an important and fundamental **set** theory operation

Xiii. The **symmetric difference**, also known as the disjunctive union, of two **sets** is the **set** of elements which are in either of the **sets** and not in their intersection. The **symmetric difference** of the **sets** A and B is commonly denoted by $A \oplus B$ or $A \Delta B$.

4.

5.

A. In formal languages, alphabet is the set of all symbols used to form words in our language.

B.